# The Sun as a laboratory of particle physics

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## Outline

- 1. Stars as laboratories of particle physics
- 2. The Sun (Observations and theoretical models)
- 3. Particles: Axions, hidden photons and MCP particles
- 4. Statistical method
- 5. Results

### Stars as laboratories of particle physics

- Stars have extreme temperatures and densities in their interior not reproducibles in the Earth
- Low-mass weakly interacting particles → energy-loss argument
- New energy-loss channel leads to modifications on the structure and evolution of stars
- These changes can be used to constraint the properties of the studied non-standard particles
- The production rate of each particle depends differently on stellar conditions

#### Stars as laboratories



## The Sun

#### What do we know from the Sun?

- Sun's properties (Luminosity, Radius, Mass, Age)
- Theoretical predictions: Solar Standard Models (SSM)
- Sun's other observations
  - Helioseismology
  - Neutrino fluxes

#### The Sun: Neutrino fluxes

Energy generation in the Sun results from the fusion of hydrogen to helium, 99% of pp chain.



#### The Sun: Neutrino fluxes

#### Neutrino fluxes



## The Sun: Helioseismology

#### **Helioseismology** Study of the global oscillations of the Sun





Propagation acoustic pressure waves



## The Sun: Helioseismology

- Sound speed profile: From the observed frequencies and using inversion techniques

In our work, we use 30 points of the sound speed profile



- Surface Helium:  $Y_S = 0.2485 \pm 0.0035$ 

In the helium ionization zone on the solar envelope the adiabatic index  $\Gamma_1$  variates  $\longrightarrow$  variation of the observed frequencies.

- Radius of the convective envelope:  $R_{CZ} = 0.713 \pm 0.001$ 



## The Sun: Standard Solar Models (SSMs)

Theoretical descriptions of the Sun that are calibrated to match the Sun's present status

Adjust three initial quantities
1. Mixing length parameter (α)
2. Initial Helium (Y<sub>ini</sub>)
3. Initial metallicity (Z<sub>ini</sub>)

## The Sun: Standard Solar Models (SSMs)

## Theoretical descriptions of the Sun that are calibrated to match the Sun's present status

To satisfy the present solar constraints

1. Luminosity( $L_{\odot} = 3.8418 \times 10^{33} \text{ erg s}^{-1}$ )

2. Radius (  $R_\odot = 6.9598 \times 10^{10} \ \rm cm)$ 

3. Metal - hydrogen ratio

## The Sun: Standard Solar Models (SSMs)

#### Theoretical descriptions match the Sun's present status

## **Solar Abundance Problem** 2. Radius ( $R_{\odot} = \int .9598 \times 10^{10} \text{ cm}$ ) 3. Metal - hydrogen ratio?

- \* *Grevesse et al.* 1998 (GS98) : 1-D solar atmosphere models
- \* *Asplund et al.* 2009 (AGSS09) : 3-D hydrodynamical models of the solar atmosphere



#### **Possible sources of solar abundance problem:**

- \* Observations
- \* Solar Models
  - \* Radiative opacities!

Thermal stratification of the Sun is defined by the **opacity profile**:

- Solar Composition (GS98, AGSS09, ...)
- Radiative opacities (OP, OPAL)

Some works as *Christensen-dalsgaard et al.* 2009 points that an increase of the the radiative opacities could change the opacity profile in a way that the helioseismological agreement is recovered.



Thermal stratification of the Sun is defined by the **opacity profile**:

- Solar Composition (GS98, AGSS09, ...)
- Radiative opacities (OP, OPAL)

#### Latest experimental results go on this direction

*Bailey et al.* 2015: Gives a larger value (15%) for the iron opacity than the one predicted for solar interior temperatures  $\longrightarrow$  goes on the direction of relieving the solar abundance problem.

## The Sun: Best Fit Model

**Best fit model:** Reproduces the thermal stratification of the Sun with the composition as free parameter



0.8

#### Particles: Axions and hidden photons

Models with **axions** — Primakoff effect

$$Q_{a\gamma} = \frac{dE}{dm \ dt} = \frac{g_{a\gamma}^2}{4\pi} \frac{T^7}{\rho} F(\kappa^2)$$

Schlatt et al. 1999

$$F(\kappa^{2}) = 1.842(\kappa^{2}/12)^{0.31}$$
$$\kappa^{2} = \pi \alpha \frac{n_{B}}{T^{3}} \left( Y_{e} + \sum_{j} Z_{j}^{2} Y_{j} \right)$$

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Longitudinal **hidden photons**  $\rightarrow \gamma \rightarrow \gamma'$  oscillations

Redondo et al. 2013

#### Particles: Axions and L-HP



Different dependences on density and temperature Different effects on the structure and evolution of the Sun

#### Particles: Minicharged particles

MCPs are dominantly produced through plasmon decay  $\gamma^* \rightarrow f\bar{f}$ 

 $|\omega_p \ge 2m_f|$  On-shell emission

$$Q_{MCP} = \frac{dE}{dm \ dt} = \frac{2}{2\pi^2} \int_0^\infty dk k^2 \frac{\omega \Gamma_{\gamma^*}}{e^{\omega/T} - 1}$$
$$\Gamma_{\gamma^*} = \frac{\epsilon^2 \alpha}{3} \frac{Z}{\omega} (\omega_p^2 + 2m_f^2) \sqrt{1 - \frac{4m_f^2}{\omega_p^2}}$$

 $\left| \omega_p < 2 m_f \right|$  Off-shell emission  $Q_{MCP} = \frac{dE}{dm \ dt} = \int_0^\infty \frac{dkk^2}{\pi^2} \int_{2m \ \epsilon}^\infty \frac{d\omega^2}{\pi} \frac{\omega\Gamma_{Th}}{(K^2 - \omega_n^2) + (\omega\Gamma_{Th})} \frac{\omega\Gamma_{\gamma^*}}{e^{\omega/T} - 1} \frac{1}{\rho}$ 

#### Particles: MCPs in the Sun

MCP emission depends on the plasma frequency in the Sun



#### Particles: MCPs in the Sun



#### Particles: MCPs in the Sun



#### Results: Solar Models with extra energy-loss

- \* **Axions**: SSM models changing  $g_{10} = 10^{-10} \cdot g_{a\gamma}$
- \* L-HP: SSM models changing the product  $\chi m$
- \* **Minicharged particles**: SSM with fixed m\_f (1 <  $\log_{10}(m_{\rm f}/{\rm eV})$  < 3.5 ) changing  $\epsilon$

$$\frac{\partial l}{\partial m} = \epsilon_{nuc} + \epsilon_g - \epsilon_\nu - \epsilon_{ex}$$

#### Results: Axions and hidden photons

#### Sound speed profile

Vinyoles et al. 2015



#### Results: Axions and hidden photons



#### Results: MCPs

#### Sound speed profile

Vinyoles & Vogel 2015



#### **Results:** Axions



When we add some extra energy-loss to a solar model, we need to increase the energy production through nuclear reactions in order to reach the observed solar luminosity.  $L_{\odot} = L_{nuc} + L_{ex}$ 

#### Results: MCPs



#### Results: Axions and hidden photons

$$\chi^2 = \min_{\{\xi_I\}} \left[ \sum_Q \left( \frac{\delta_Q - \sum_I \xi_I C_{Q,I}}{U_Q} \right)^2 + \sum_I \xi_I^2 \right]$$

**Observables**: 30 points of the sound speed profile,  $\Phi(^{7}Be)$ ,  $\Phi(^{8}B)$ ,  $R_{CZ}$  and  $Y_{s}$ 

- 1. For each model with different  $g_{10}$  or  $\chi m$ , minimize with respect of the composition to find the **best fit model**
- 2. Construct the  $\chi^2$  function using those **best fit models**
- 3. Use the relation between  $\chi^2$  function and the confidence level for 1 d.o.f problem  $N\sigma = \sqrt{(\chi^2 \chi^2_{min})}$  to derive the bounds

#### Results: MCPs

$$\chi^2 = \min_{\{\xi_I\}} \left[ \sum_Q \left( \frac{\delta_Q - \sum_I \xi_I C_{Q,I}}{U_Q} \right)^2 + \sum_I \xi_I^2 \right]$$

**Observables**: 30 points of the sound speed profile,  $\Phi(^{7}Be)$ ,  $\Phi(^{8}B)$ ,  $R_{CZ}$  and  $Y_{s}$ 

- 1. For a given  $m_{f}$ , for each model with different  $\epsilon$  minimize with respect of the composition to find the **best fit model**
- 2. For each value of  $m_f$ , we construct a  $\chi^2$  function using the corresponding **best fit models**
- 3. Use the relation between  $\chi^2$  function and the confidence level for 2 d.o.f problem  $\Delta \chi^2 = 2.3, 6.2, 11.8, ...$  to derive the bounds for each m<sub>f</sub>

#### Statistical method



#### Input parameters of the SSMs

age, diffusion coefficients, luminosity, opacity *Astrophysical S-factors*: S11, S33, S34, S17, Se7, S114

#### Statistical method

#### Villante et al. 2014



 $\xi_I$ : **Pulls of the input parameters of the SSMs** Minimize  $\chi^2$  and give information about tensions between parameters and data.

#### **Results:** Axions



$$g_{a\gamma} < 4.1 \cdot 10^{-10} {\rm GeV}^{-1}$$
 at  $3\sigma$ 

#### Results: Hidden photons



 $\chi m < 1.8 \cdot 10^{-12} {
m eV}$  at  $3\sigma$ 

#### **Results: Milicharged particles**



$m_f(\mathrm{eV})$	$\epsilon \times 10^{14}$ at $2\sigma$	$L_{ m MCP}/L_{\odot}(\%)$	$m_f(\mathrm{eV})$	$\epsilon \times 10^{14}$ at $2\sigma$	$L_{ m MCP}/L_{\odot}(\%)$
0	2.2	1.5	150	460	-
25	2.2	1.5	175	460	2.3
50	2.6	2.0	200	500	2.4
75	3.4	2.7	316	600	2.3
100	4.5	2.6	1000	1090	2.3
125	8.7	2.6	3160	7720	2.8

#### **Results:**



Luminosity constraint depends on the emission rate of the particle studied



$$\alpha_{\rm ax} = 4.6 \qquad \alpha_{\rm hp} = 5.7$$

#### Results: MCPs



$m_f(\mathrm{eV})$	$\epsilon \times 10^{14}$ at $2\sigma$	$L_{ m MCP}/L_{\odot}(\%)$	$m_f(\mathrm{eV})$	$\epsilon \times 10^{14}$ at $2\sigma$	$L_{ m MCP}/L_{\odot}(\%)$
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#### Results: Constaints on MCPs



#### Results: Constraints on ALPs and HPs

ALPs

#### L-HPs



## Summary

- \* Global fit using all the available observables of the Sun
- \* Improvement on the previous results based on the Sun
- \* Importance of self-consistent solar models
- \* Results not affected by the solar abundance problem
- \* Can be extended it to other cases with exotic energy-loss