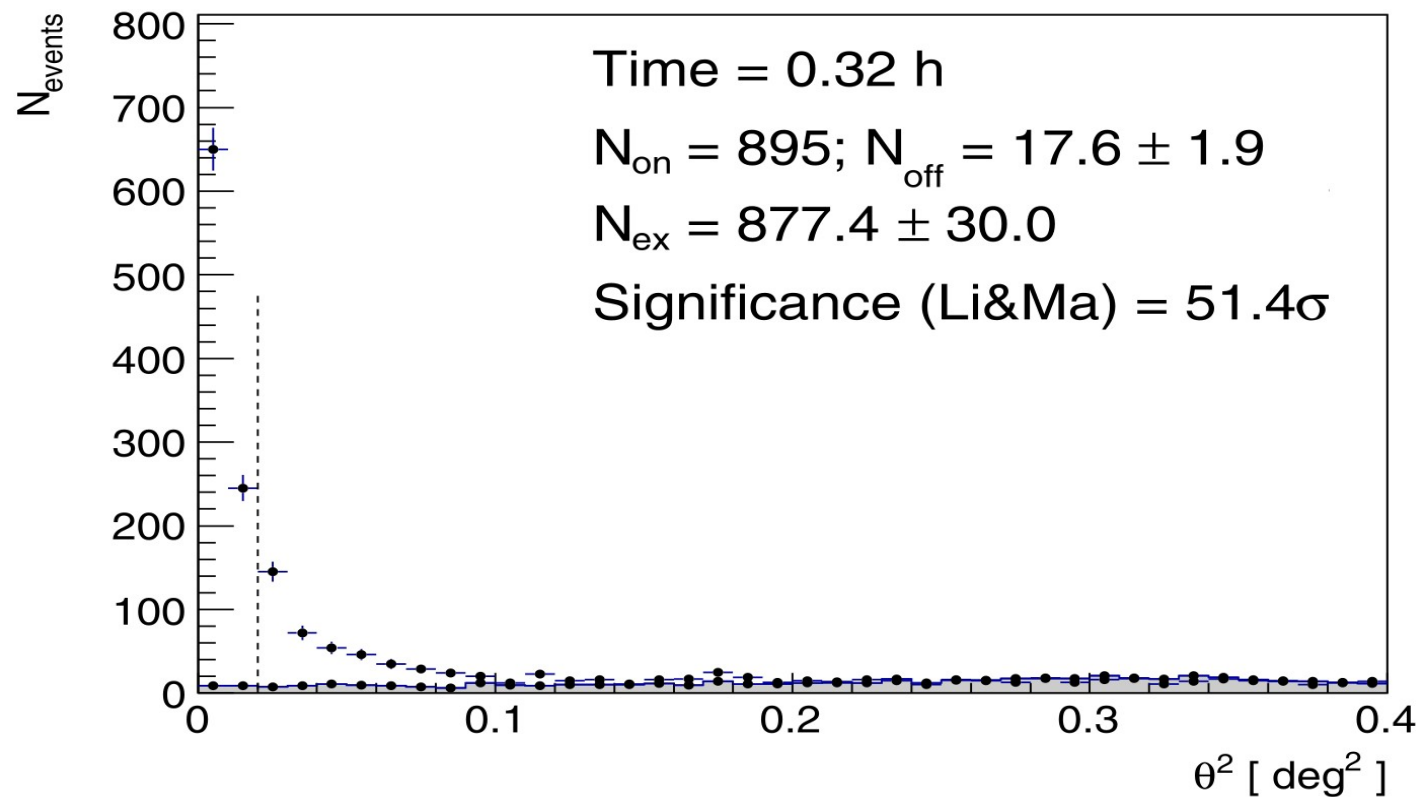


# An introduction to Lorentz Invariance Violation analysis using MAGIC detection of GRB 190114C

Daniel Kerszberg  
Pizza seminar

# GRB 190114C detection by MAGIC

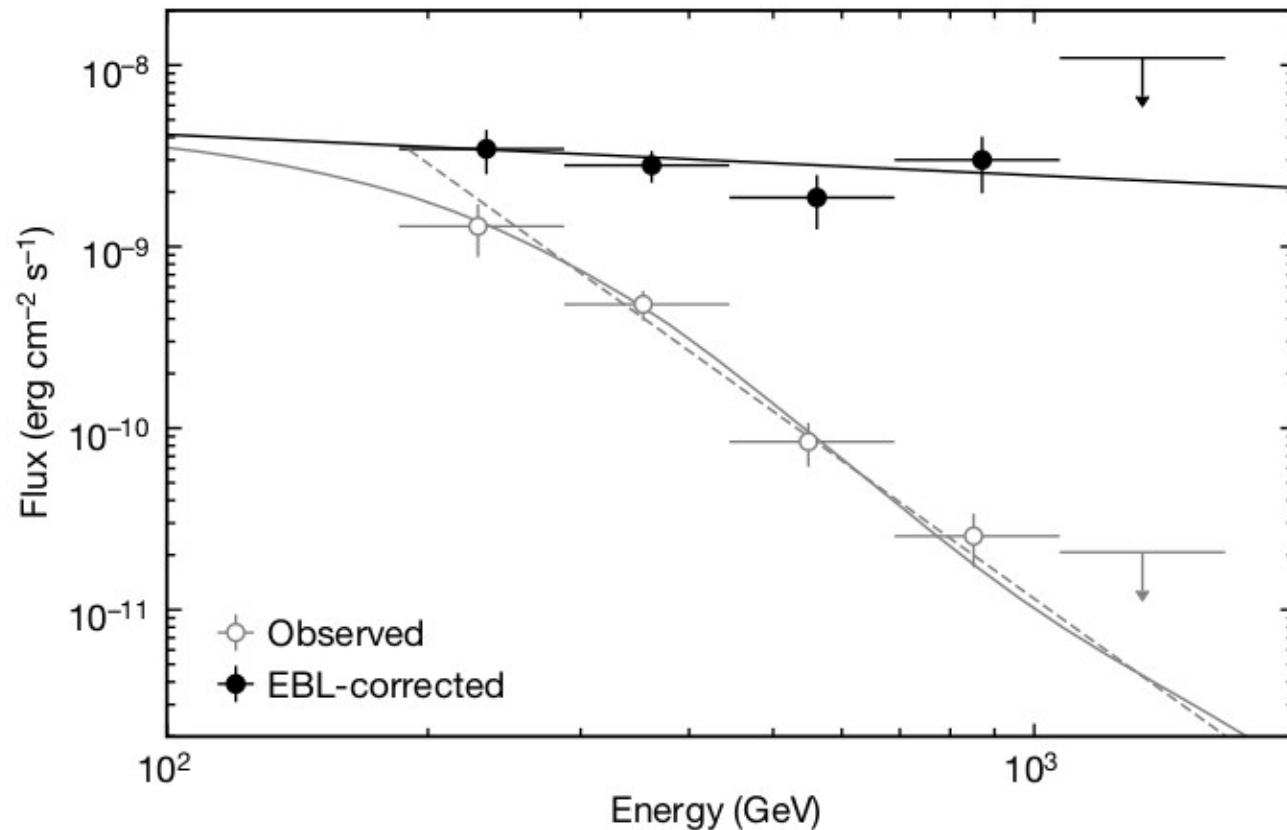
- $T_0 = 20:57:03$  UTC on the 14<sup>th</sup> January 2019
- Long GRB at redshift  $z=0.42$



- $N_{\text{on}}=895$  (and very low background)

# GRB 190114C: spectrum

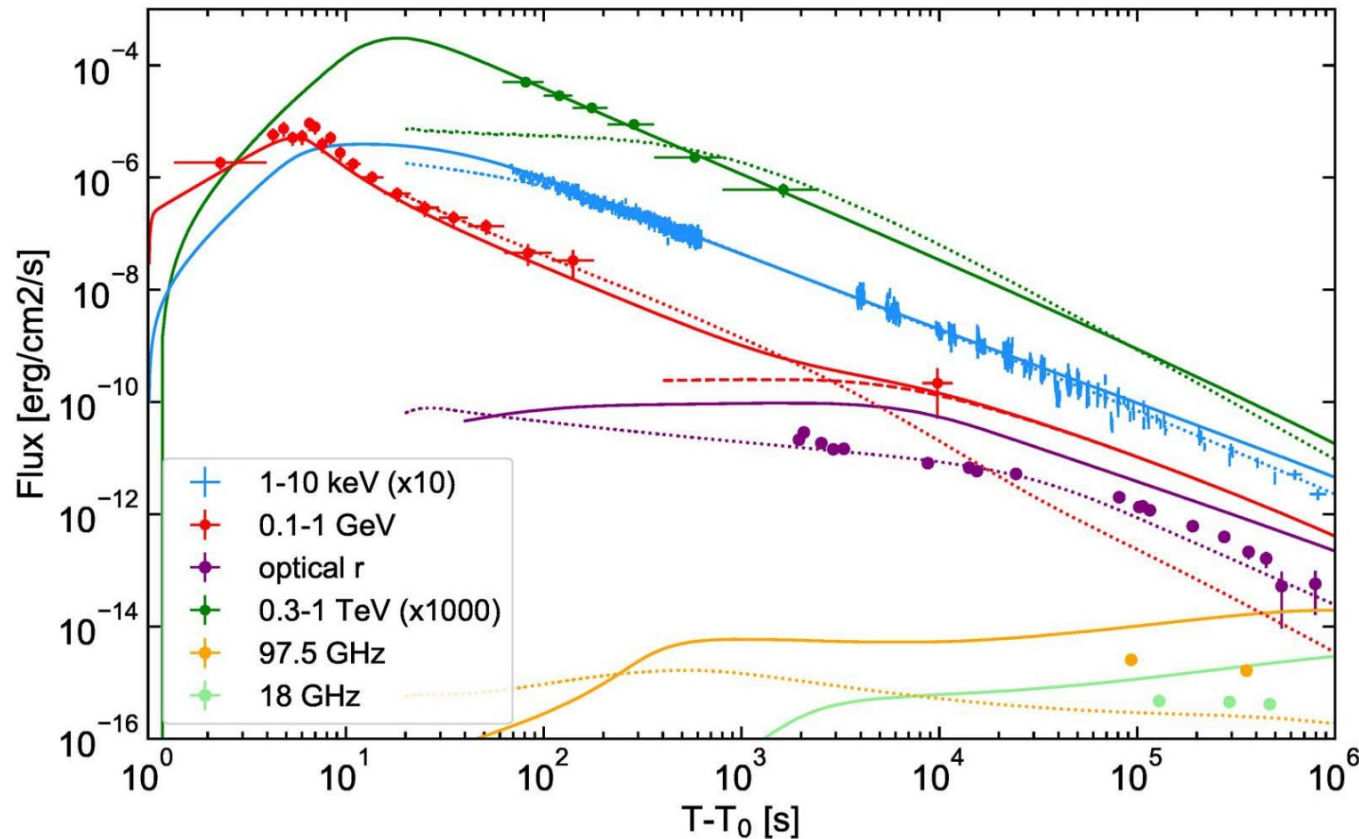
- $T_0 = 20:57:03$  UTC on the 14<sup>th</sup> January 2019
- Long GRB at redshift  $z=0.42$



- Power law with spectral index  $\alpha = -2.5 \pm 0.2$

# GRB 190114C: light curve

- $T_0 = 20:57:03$  UTC on the 14<sup>th</sup> January 2019
- Long GRB at redshift  $z=0.42$



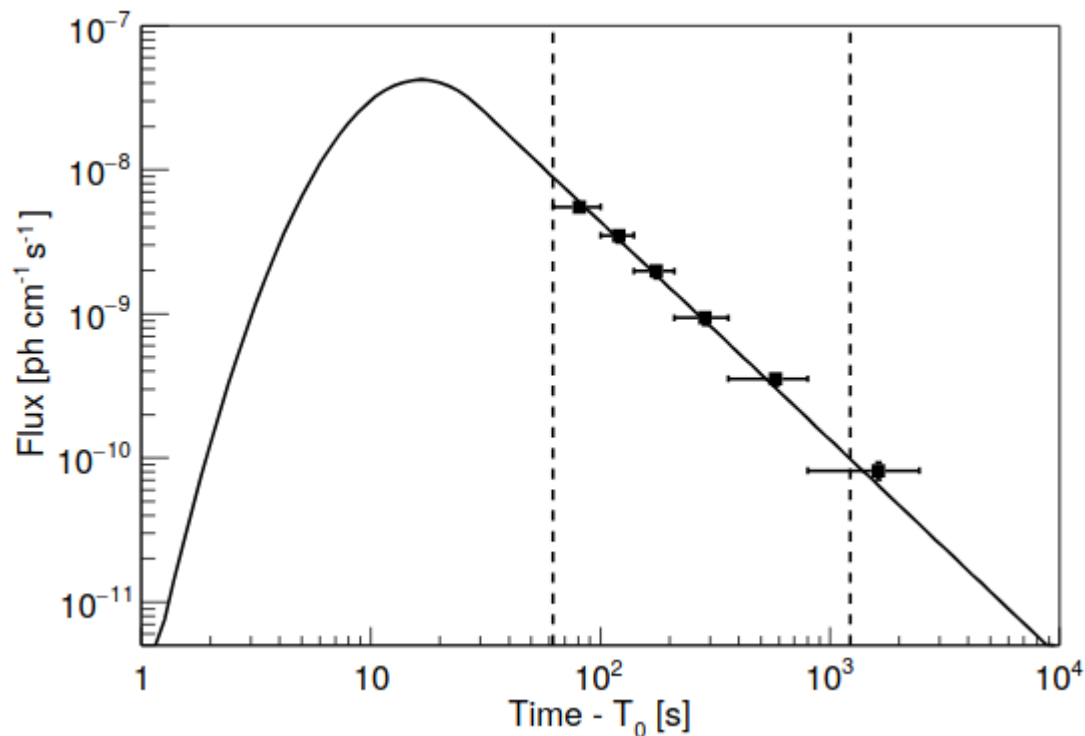
- Power law with spectral index  $\beta = -1.51 \pm 0.04$

# Lorentz Invariance Violation (LIV)

- **Without LIV effect:**  $E=p \Rightarrow v_{\gamma}=1 \Rightarrow \Delta t=0$
- **With LIV effect:**  $E \neq p \Rightarrow v_{\gamma} \neq 1 \Rightarrow \Delta t \neq 0$
- **You can compute the expected delay for any particular source with its redshift, the Hubble constant etc**
- **Here is the result for GRB 190114C:**  $\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$   
**(in the linear case)**
- **What we measure/constrain:**
  - First order LIV-correction (linear case):  $\eta_1 = \pm \frac{E_{\text{Planck}}}{E_{\text{QG},1}}$
  - Second order LIV-correction (quadratic case):  $\eta_2 = \pm 10^{-16} \frac{E_{\text{Planck}}^2}{E_{\text{QG},2}^2}$

# Assumed Light Curve

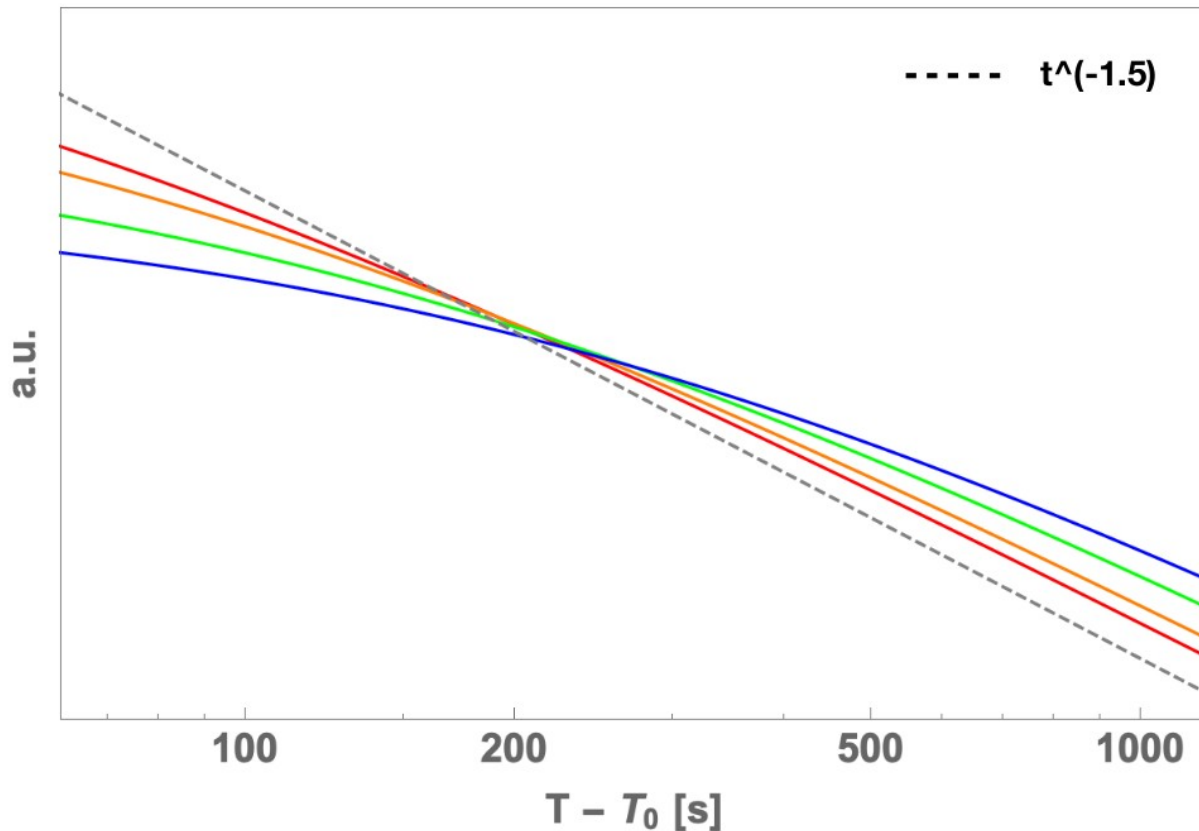
- “Theoretical” model (from MWL observations):



- “Minimal” model (step function):
  - Flux = 0 for  $t < T_0$
  - Flux = K (constant) for  $t > T_0$

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -7$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**Red line:**  $E_{\text{est}} = 300 \text{ GeV}$

**Orange line:**  $E_{\text{est}} = 600 \text{ GeV}$

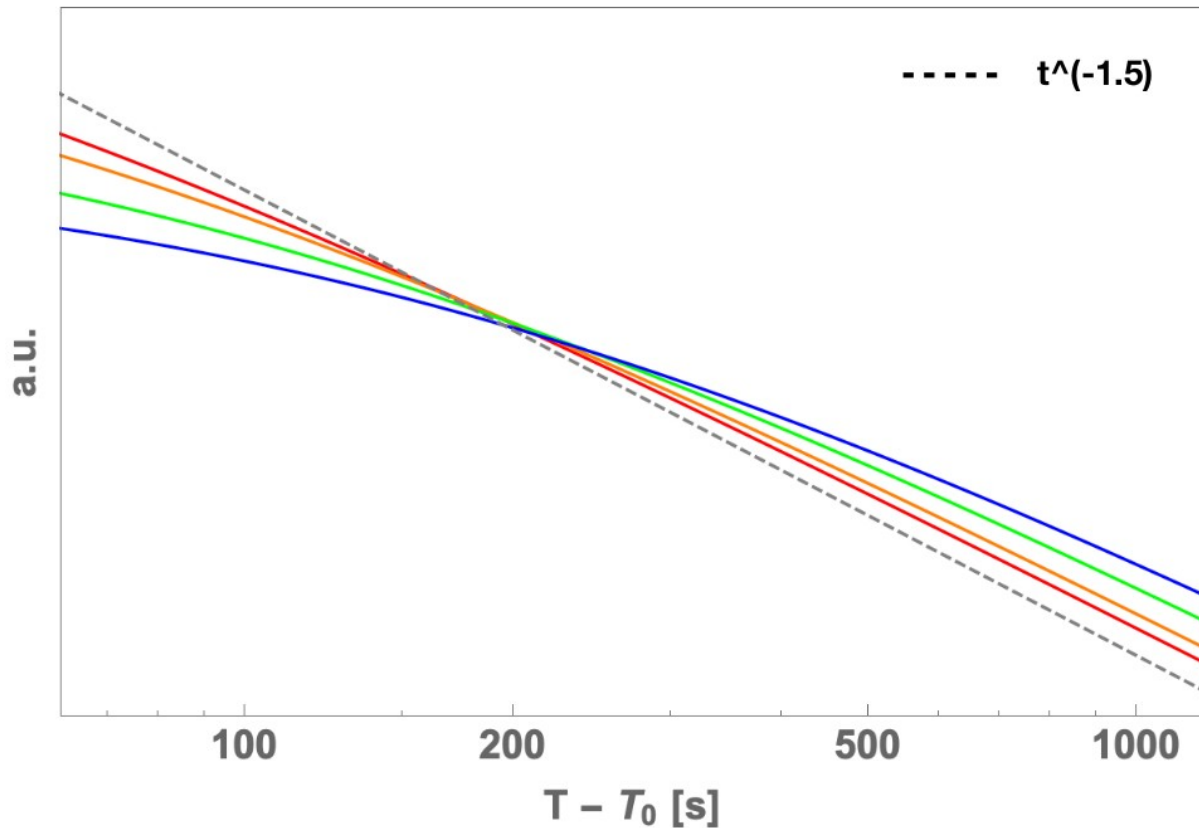
**Green line:**  $E_{\text{est}} = 1.2 \text{ TeV}$

**Blue line:**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

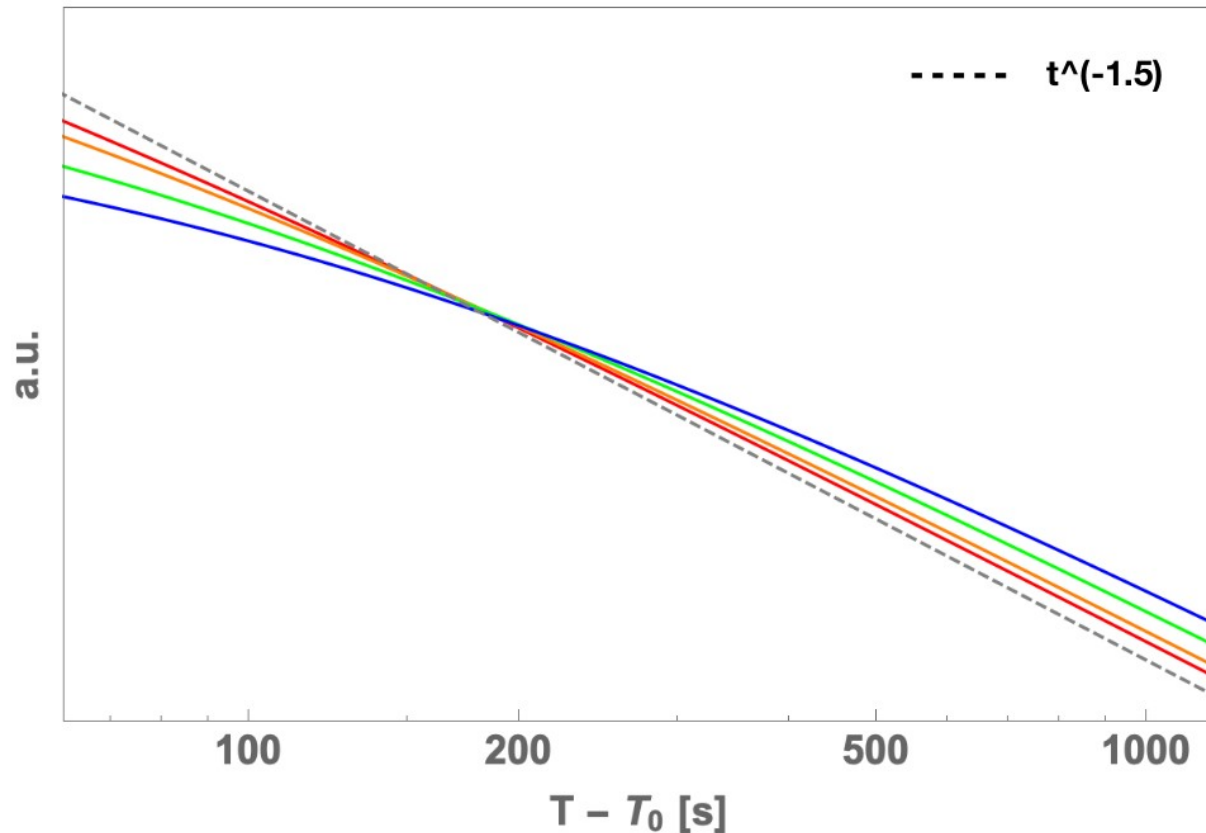
- Red line:**  $E_{\text{est}} = 300 \text{ GeV}$
- Orange line:**  $E_{\text{est}} = 600 \text{ GeV}$
- Green line:**  $E_{\text{est}} = 1.2 \text{ TeV}$
- Blue line:**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico



# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -3$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—**  $E_{\text{est}} = 300 \text{ GeV}$

**—**  $E_{\text{est}} = 600 \text{ GeV}$

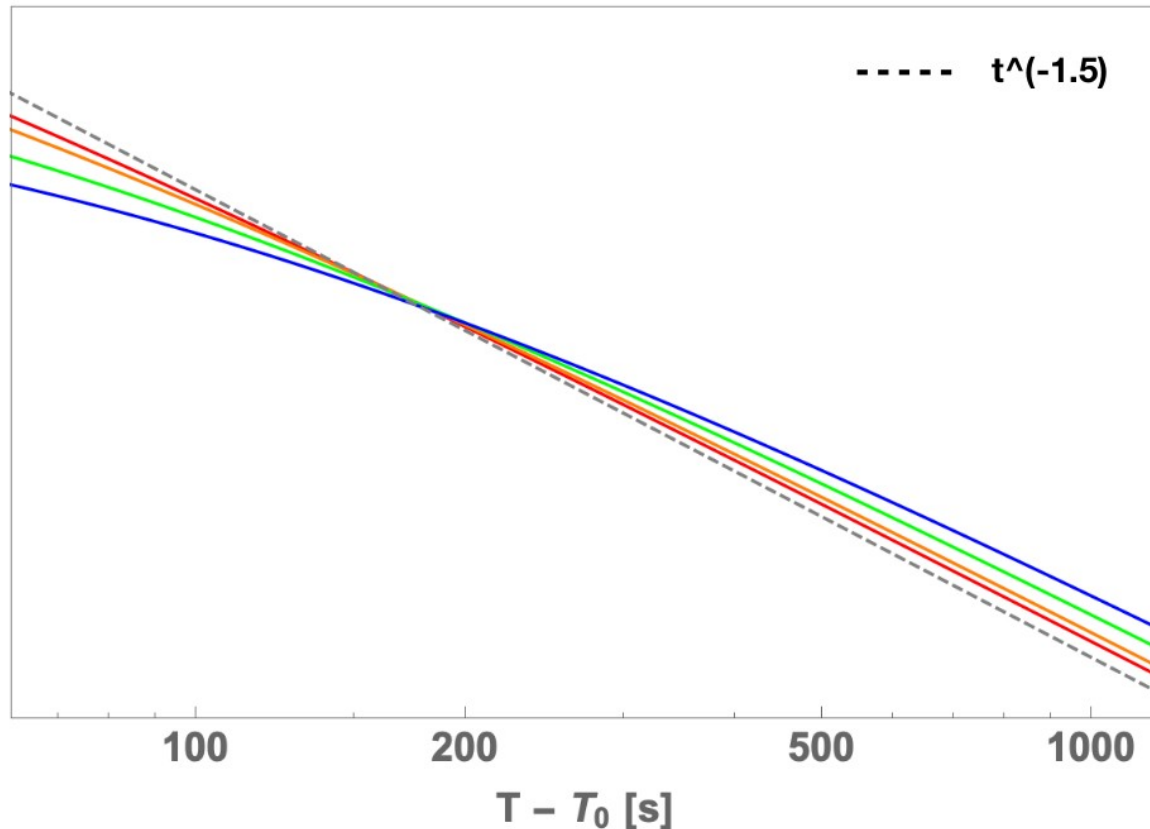
**—**  $E_{\text{est}} = 1.2 \text{ TeV}$

**—**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -2.5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—  $E_{\text{est}} = 300 \text{ GeV}$**

**—  $E_{\text{est}} = 600 \text{ GeV}$**

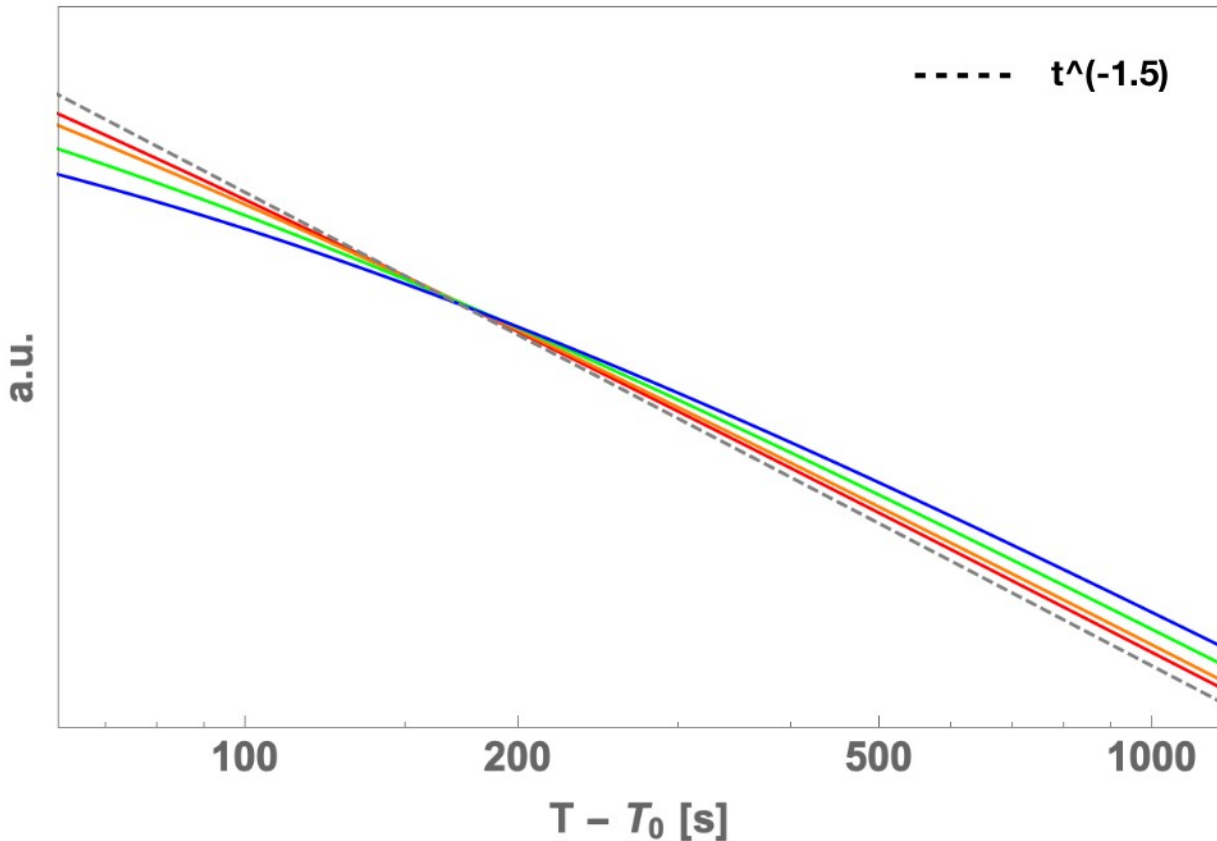
**—  $E_{\text{est}} = 1.2 \text{ TeV}$**

**—  $E_{\text{est}} = 2 \text{ TeV}$**

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -2$$

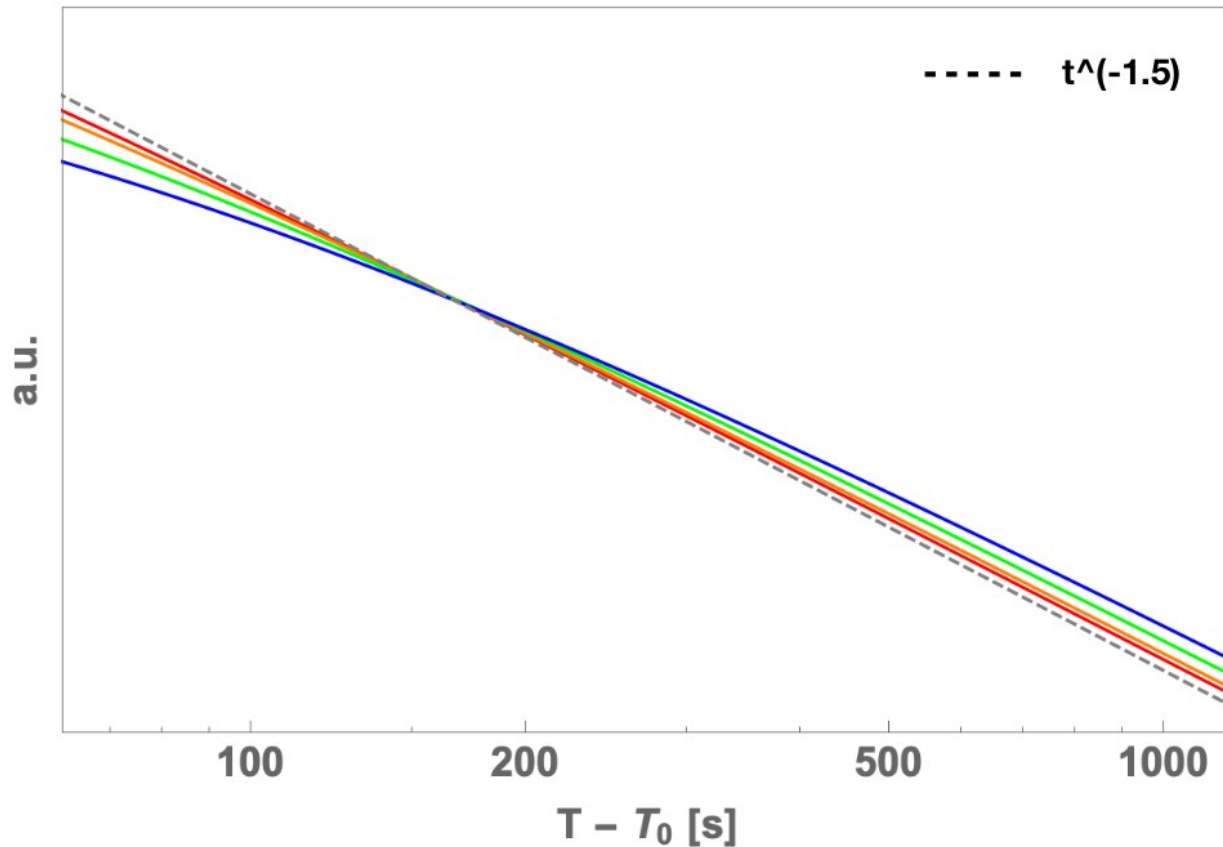
$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

- Red line:**  $E_{\text{est}} = 300 \text{ GeV}$
- Orange line:**  $E_{\text{est}} = 600 \text{ GeV}$
- Green line:**  $E_{\text{est}} = 1.2 \text{ TeV}$
- Blue line:**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -1.5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—**  $E_{\text{est}} = 300 \text{ GeV}$

**—**  $E_{\text{est}} = 600 \text{ GeV}$

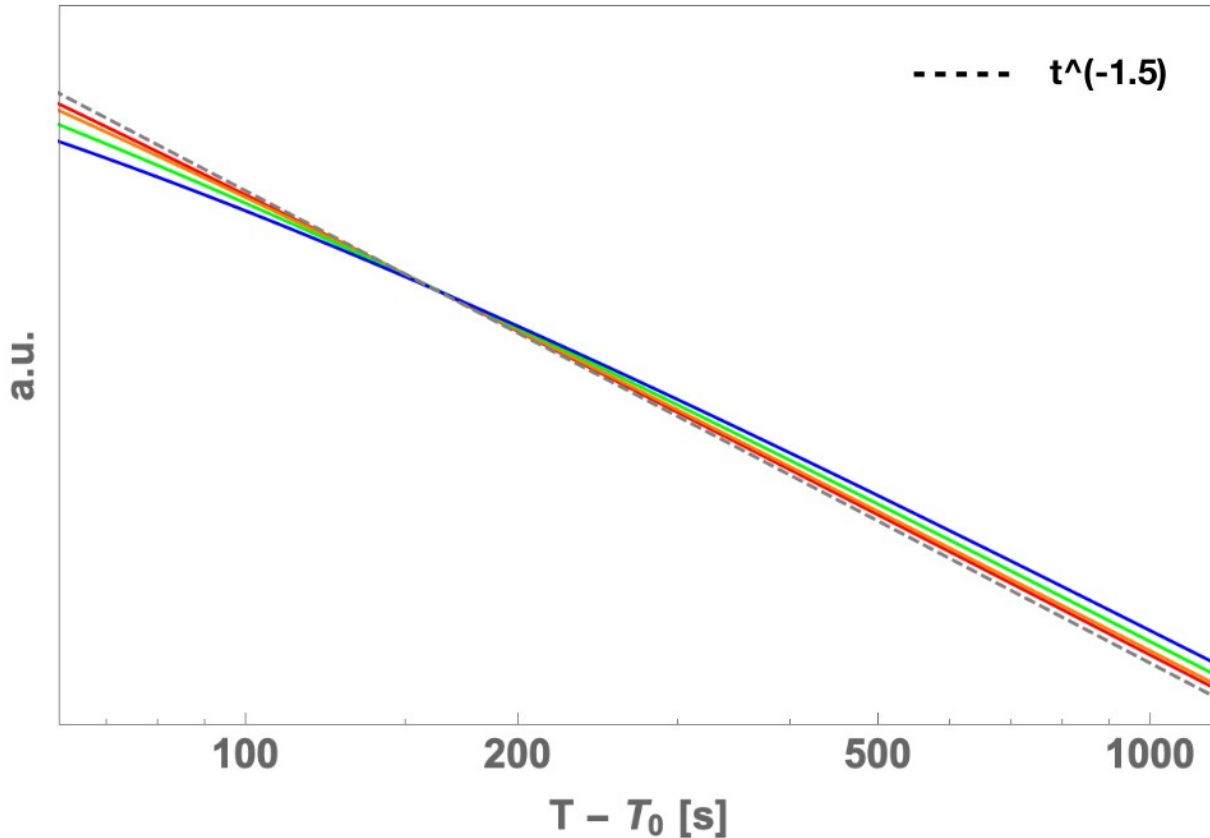
**—**  $E_{\text{est}} = 1.2 \text{ TeV}$

**—**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -1$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**Red line:**  $E_{\text{est}} = 300 \text{ GeV}$

**Orange line:**  $E_{\text{est}} = 600 \text{ GeV}$

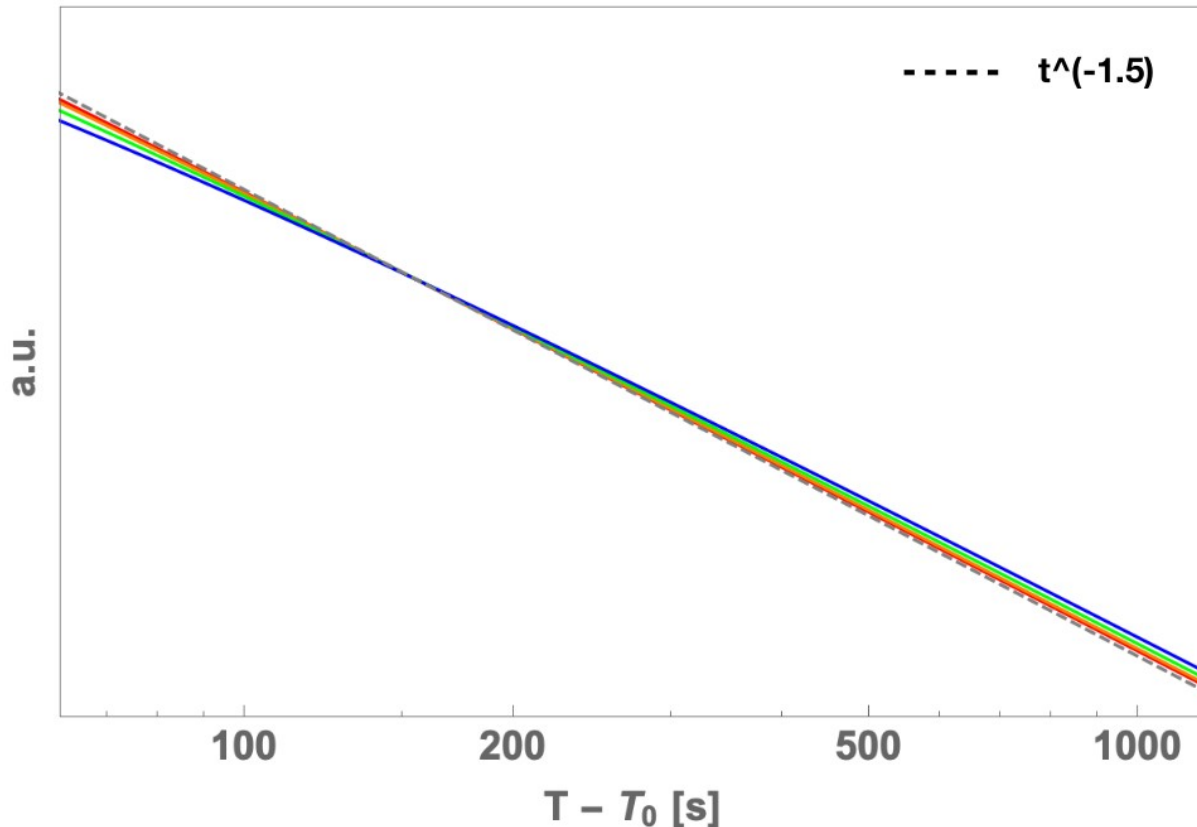
**Green line:**  $E_{\text{est}} = 1.2 \text{ TeV}$

**Blue line:**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -0.5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—  $E_{\text{est}} = 300 \text{ GeV}$**

**—  $E_{\text{est}} = 600 \text{ GeV}$**

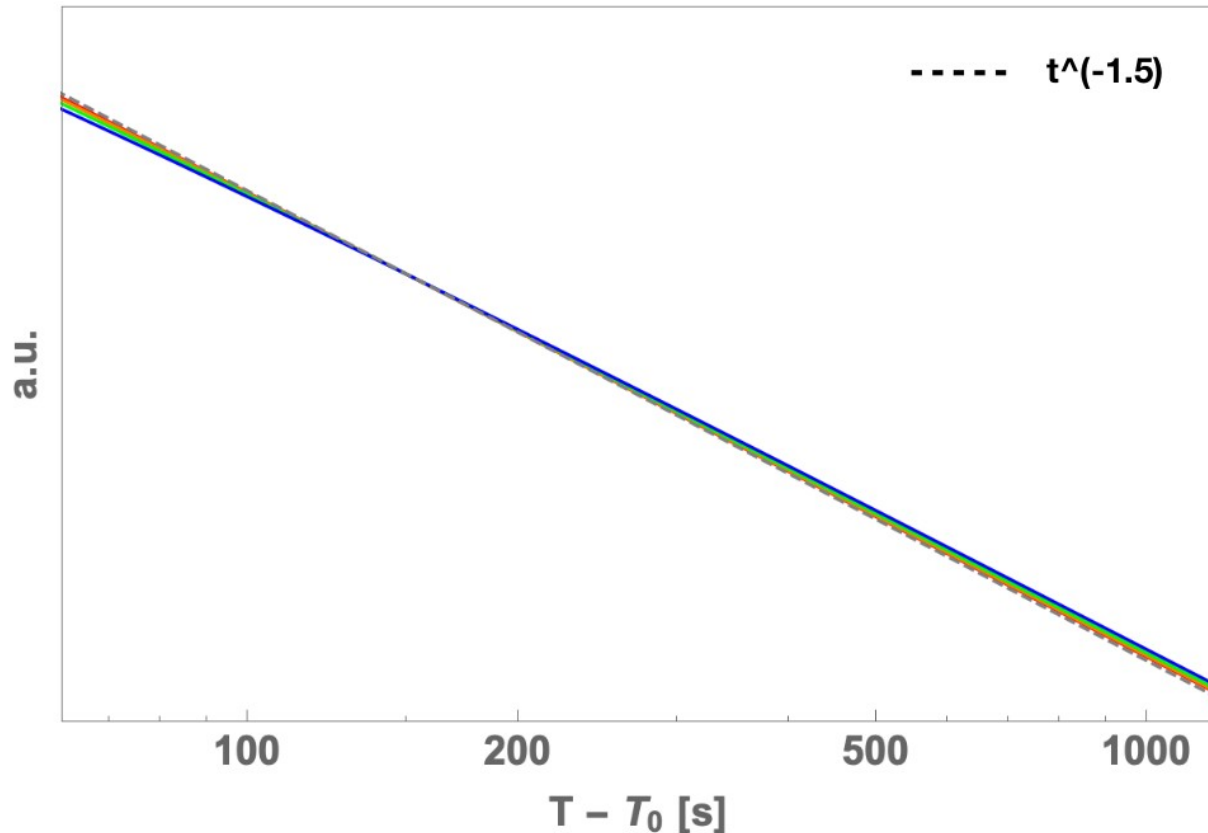
**—  $E_{\text{est}} = 1.2 \text{ TeV}$**

**—  $E_{\text{est}} = 2 \text{ TeV}$**

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = -0.25$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—  $E_{\text{est}} = 300 \text{ GeV}$**

**—  $E_{\text{est}} = 600 \text{ GeV}$**

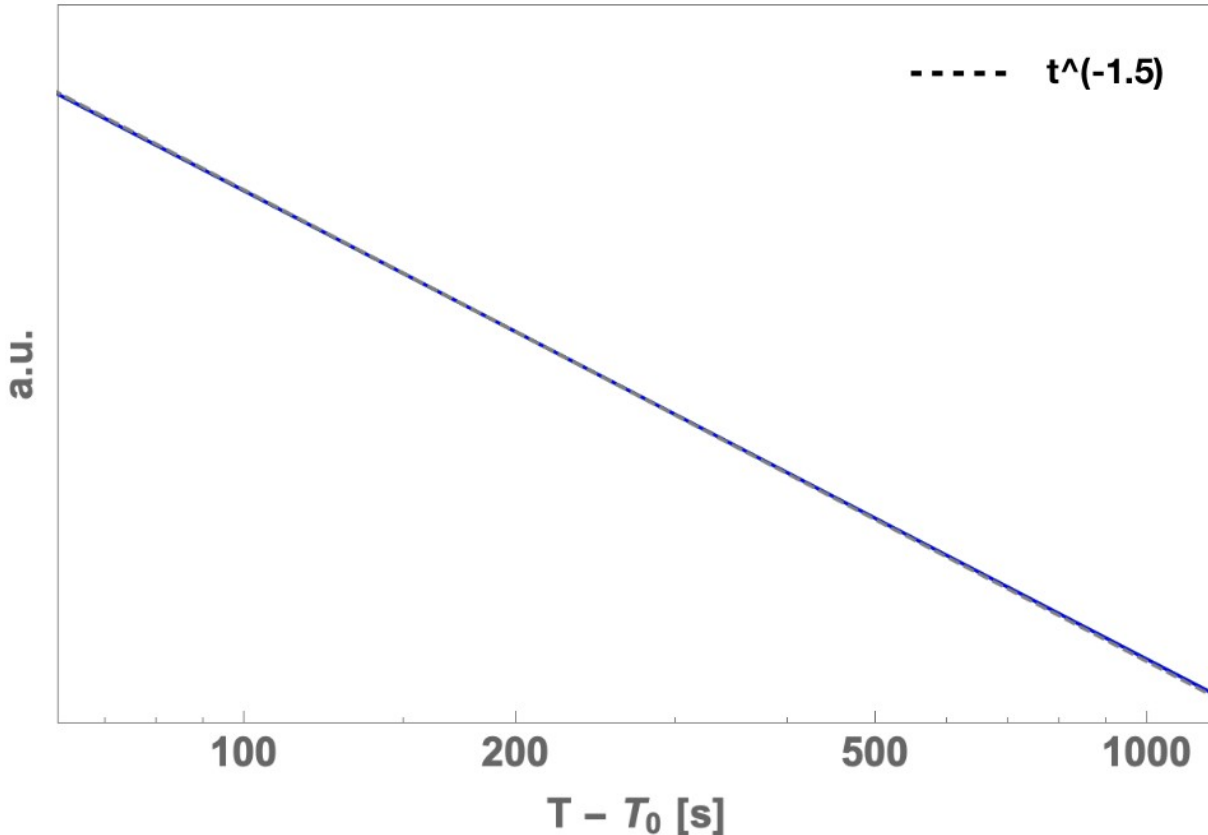
**—  $E_{\text{est}} = 1.2 \text{ TeV}$**

**—  $E_{\text{est}} = 2 \text{ TeV}$**

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 0$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—**  $E_{\text{est}} = 300 \text{ GeV}$

**—**  $E_{\text{est}} = 600 \text{ GeV}$

**—**  $E_{\text{est}} = 1.2 \text{ TeV}$

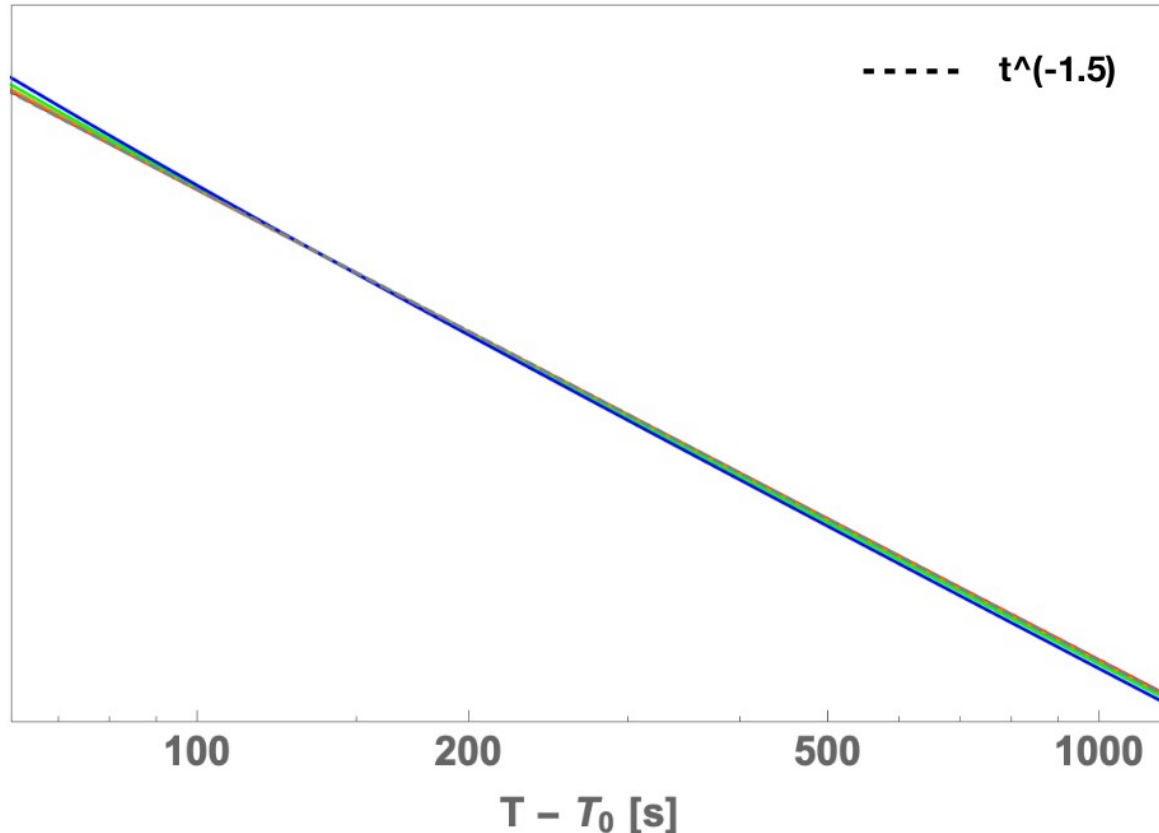
**—**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico



# What actually does the likelihood analysis?

TIME DISTRIBUTION - LINEAR CASE



$$\eta_1 = 0.25$$

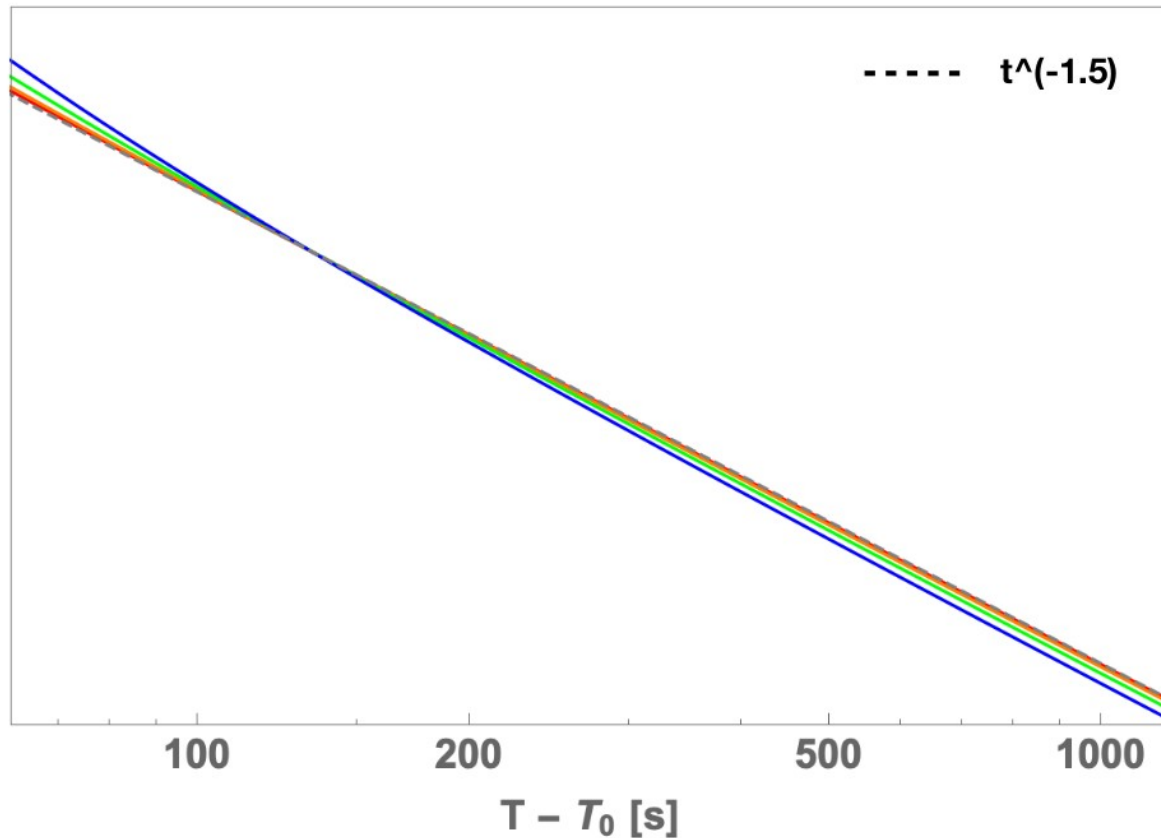
$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$



Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 0.5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—**  $E_{\text{est}} = 300 \text{ GeV}$

**—**  $E_{\text{est}} = 600 \text{ GeV}$

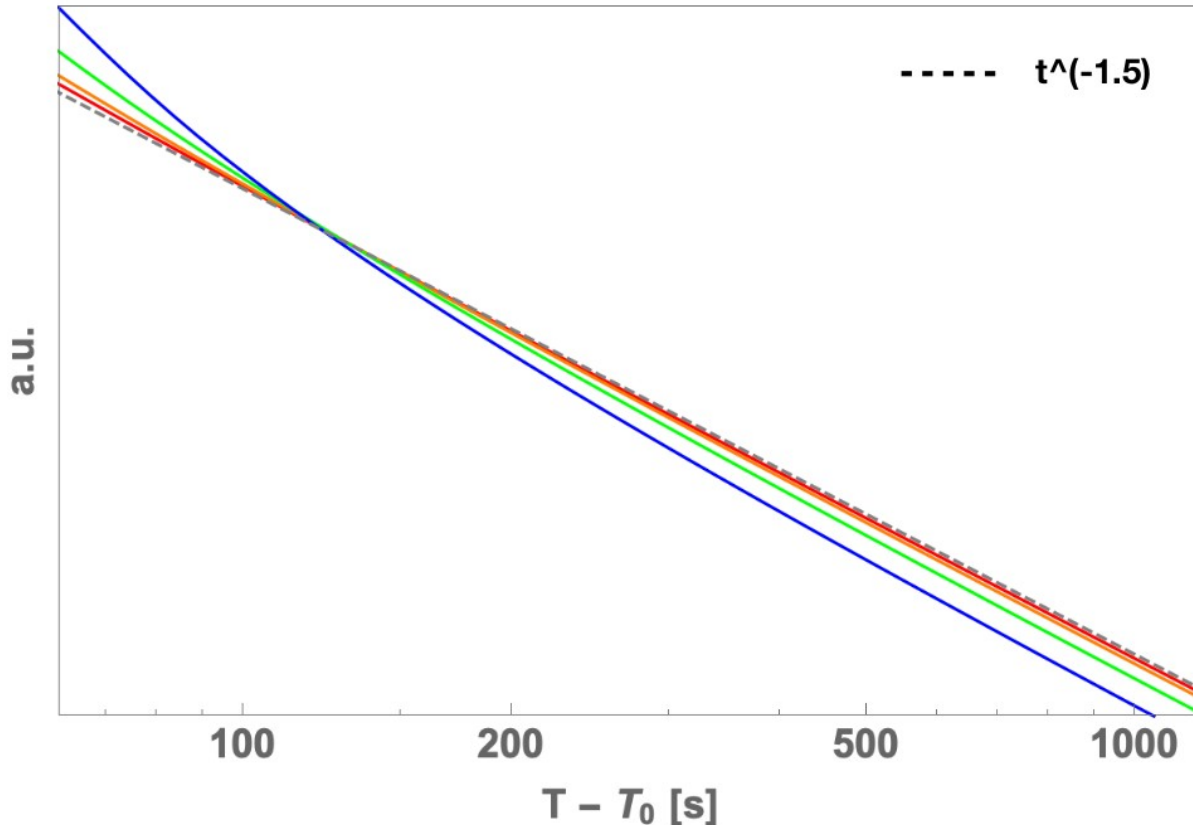
**—**  $E_{\text{est}} = 1.2 \text{ TeV}$

**—**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 1$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—  $E_{\text{est}} = 300 \text{ GeV}$**

**—  $E_{\text{est}} = 600 \text{ GeV}$**

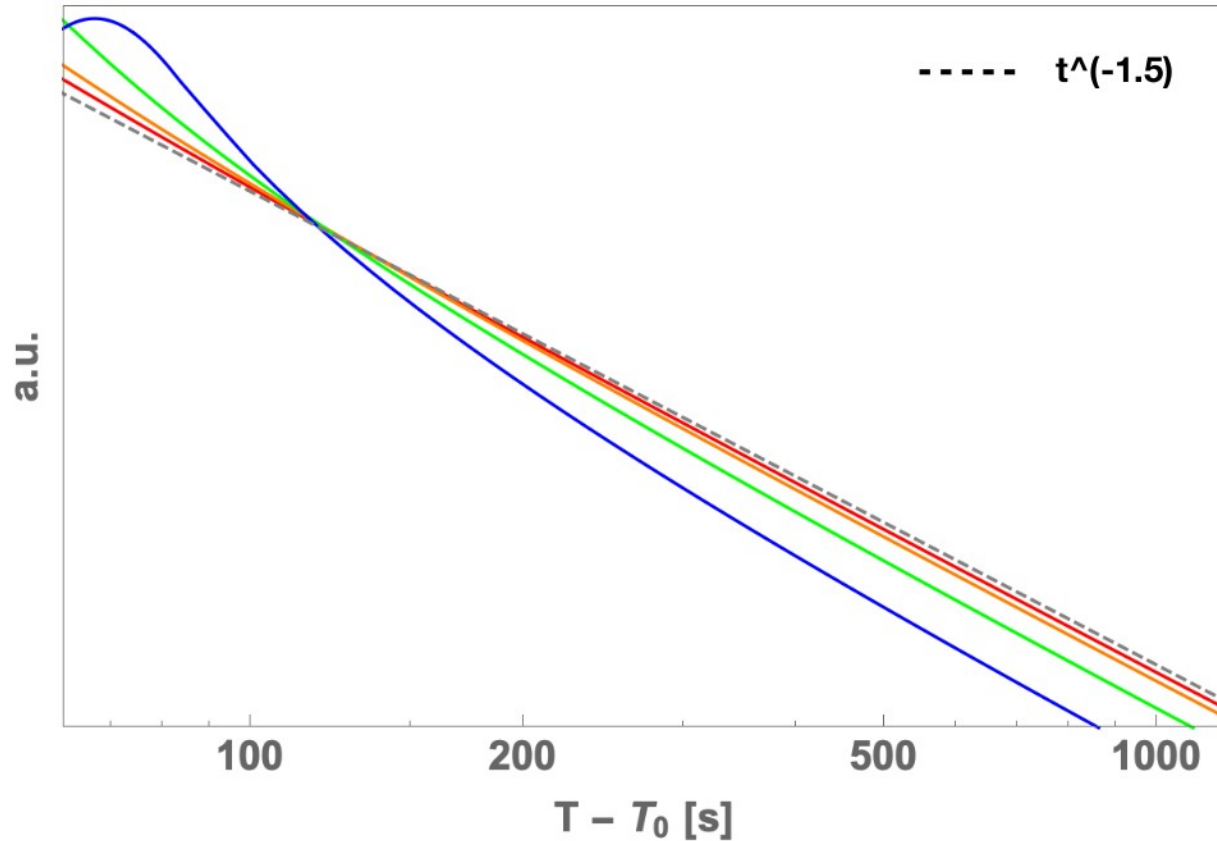
**—  $E_{\text{est}} = 1.2 \text{ TeV}$**

**—  $E_{\text{est}} = 2 \text{ TeV}$**

Courtesy of Giacomo D'Amico

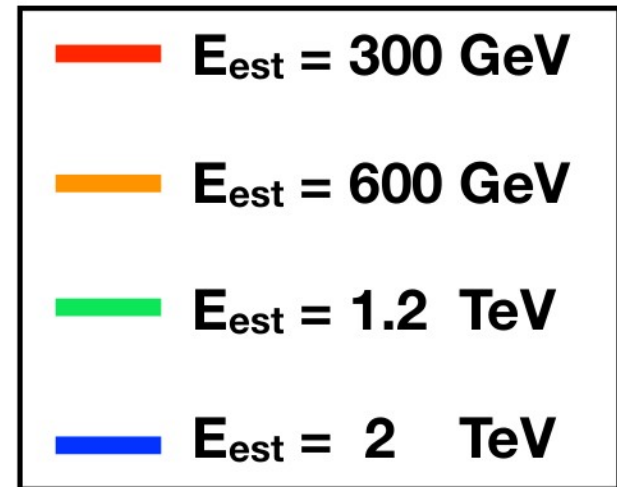
# What actually does the likelihood analysis?

TIME DISTRIBUTION - LINEAR CASE



$$\eta_1 = 1.5$$

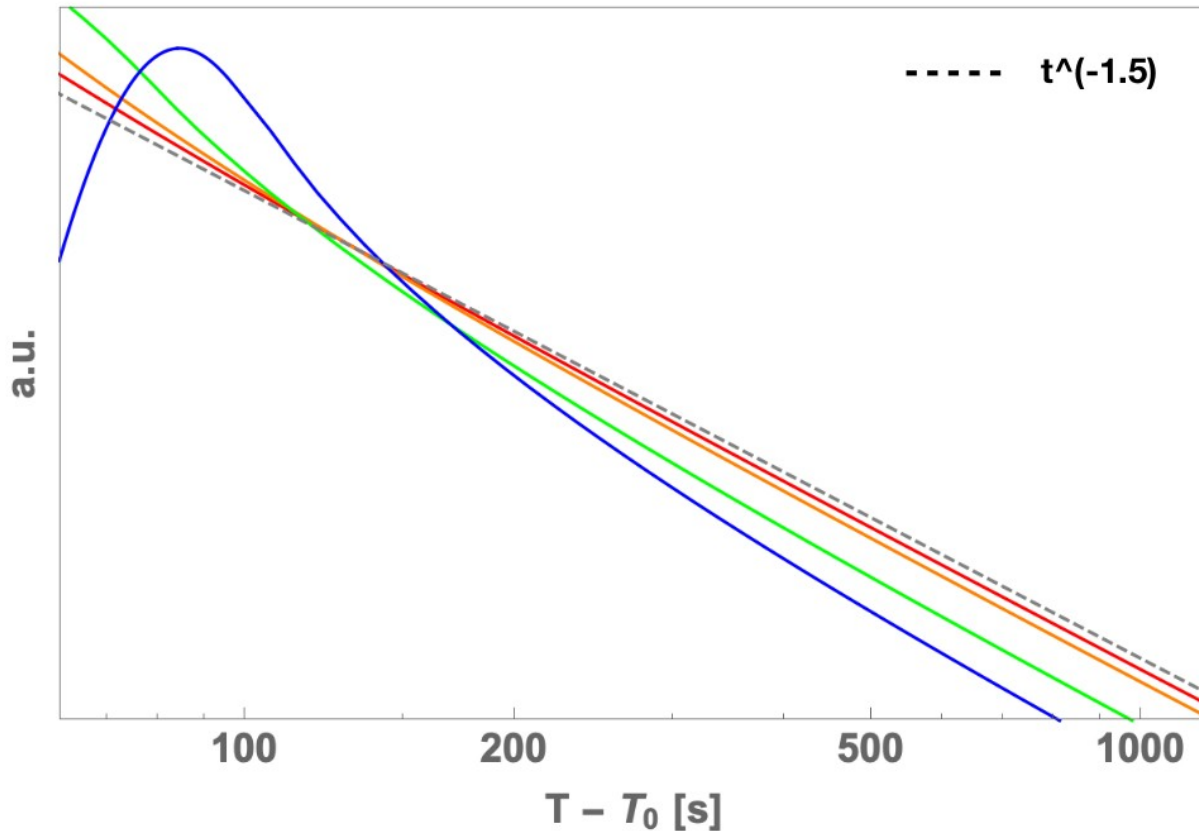
$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$



Courtesy of Giacomo D'Amico

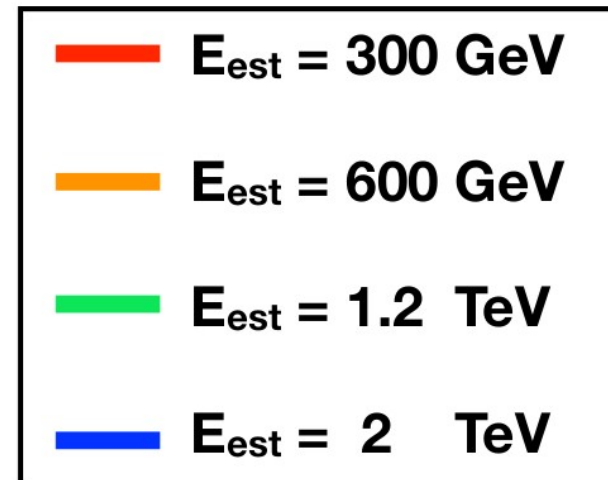
# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 2$$

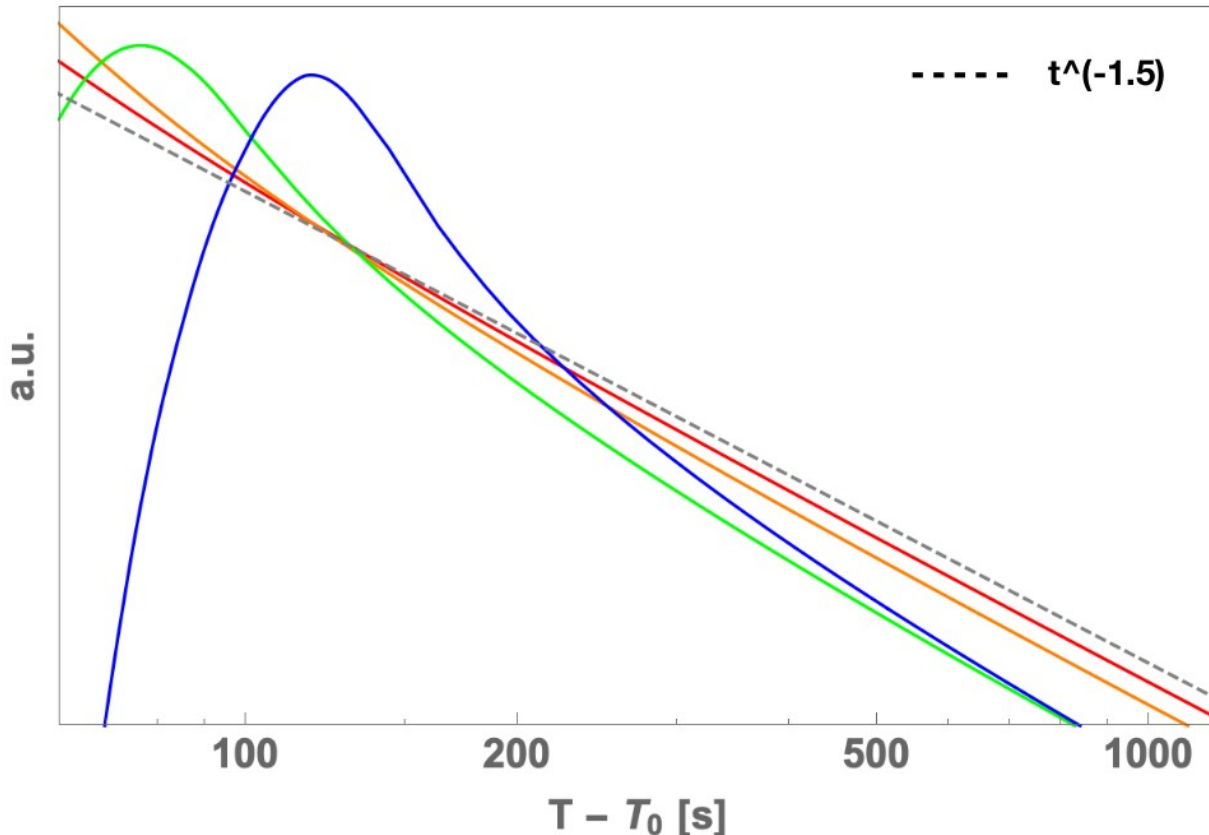
$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$



Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 3$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—  $E_{\text{est}} = 300 \text{ GeV}$**

**—  $E_{\text{est}} = 600 \text{ GeV}$**

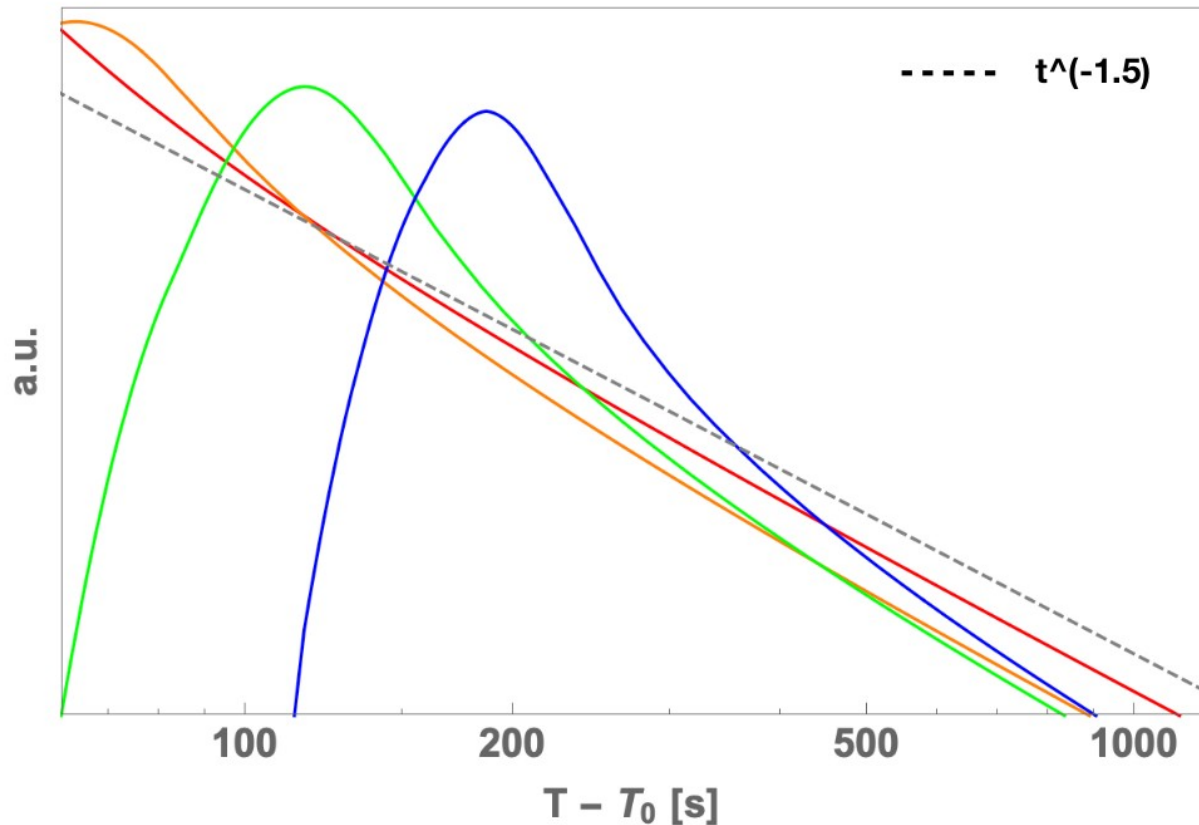
**—  $E_{\text{est}} = 1.2 \text{ TeV}$**

**—  $E_{\text{est}} = 2 \text{ TeV}$**

Courtesy of Giacomo D'Amico

# What actually does the likelihood analysis?

TIME DISTRIBUTION – LINEAR CASE



$$\eta_1 = 5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$

**—**  $E_{\text{est}} = 300 \text{ GeV}$

**—**  $E_{\text{est}} = 600 \text{ GeV}$

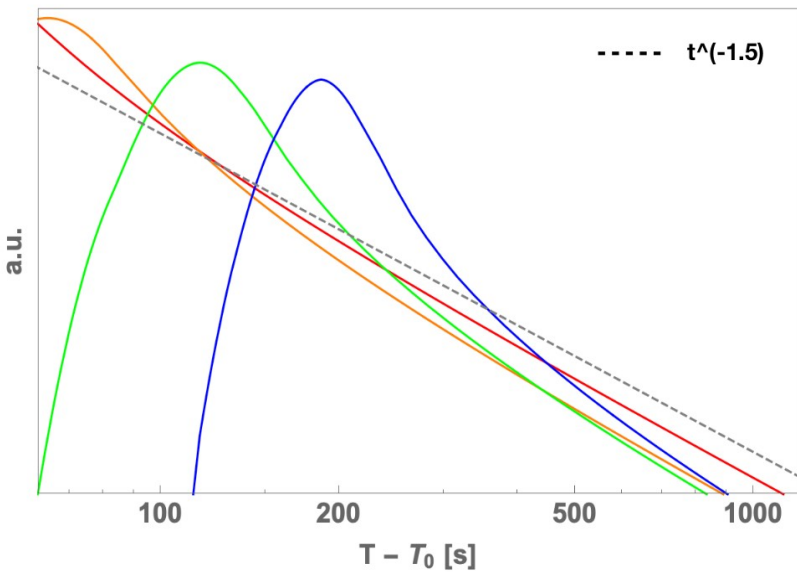
**—**  $E_{\text{est}} = 1.2 \text{ TeV}$

**—**  $E_{\text{est}} = 2 \text{ TeV}$

Courtesy of Giacomo D'Amico

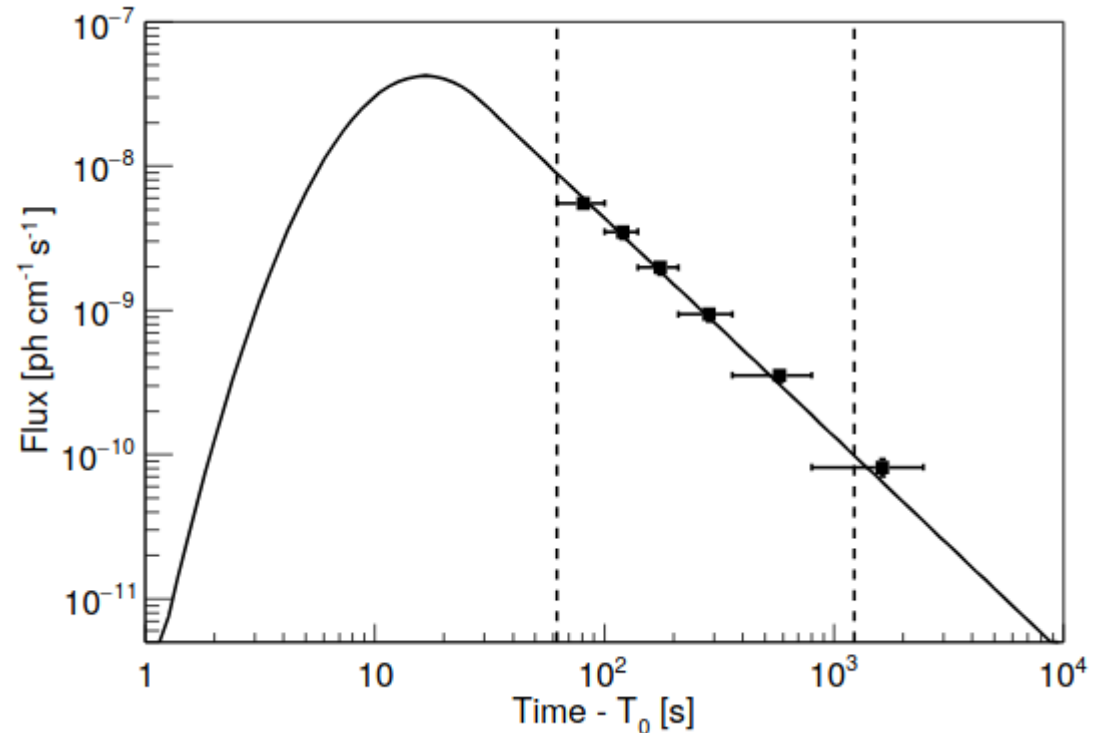
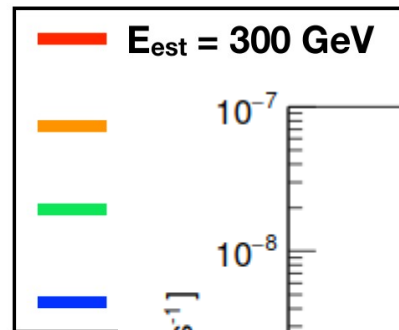
# What actually does the likelihood analysis?

TIME DISTRIBUTION - LINEAR CASE



$$\eta_1 = 5$$

$$\Delta t = \eta_1 \cdot 17 \text{ s} \cdot \frac{E}{\text{TeV}}$$



**Caveat:**

**This is a binned representation →**

**In practice, the likelihood analysis is unbinned**



# Comparison with previous results

Source	Source type	Redshift	$E_{\text{QG},1}$ [ $10^{19}$ GeV]	$E_{\text{QG},2}$ [ $10^{10}$ GeV]	Instrument
GRB 090510	GRB	0.9	9.3	13	<i>Fermi</i> -LAT <sup>1</sup>
<b>GRB 140119C</b>	GRB	0.42	<b>0.58</b>	<b>6.3</b>	MAGIC
PKS 2155-304	AGN	0.116	0.21	6.4	H.E.S.S. <sup>2</sup>
Mrk 501	AGN	0.034	0.036	8.5	H.E.S.S. <sup>3</sup>
Mrk 501	AGN	0.034	0.021	2.6	MAGIC <sup>4</sup>
Mrk 421	AGN	0.031	pending	pending	MAGIC
Crab Pulsar	Pulsar	2.0 kpc	0.055	5.9	MAGIC <sup>5</sup>

[10.1103/PhysRevLett.125.021301](https://arxiv.org/abs/2001.09728)

<https://arxiv.org/abs/2001.09728>

More details on the likelihood, how the bias of the method is computed, how we calibrate intervals to set the limits...

# LIV with GRB190114C: conclusion

- **For LIV we need distant, reaching high energy, variable sources:**
  - GRB perfect for that
- **GRB 190114C: first GRB detected at TeV energies!**
  - among the best limits even if the prompt phase was not detected
- **These LIV studies are sensitive to intrinsic time delays at the source, but intrinsic time delays are distinguishable from LIV/propagation delays which are redshift dependent**
  - Need to combine LIV observations from different observations of various sources (at different redshifts) in a redshift-dependent likelihood analysis
  - Ongoing work between MAGIC, H.E.S.S., and VERITAS

# LST-1: the first on site telescope

- **Optics:**
  - Parabolic primary mirror of 23 m diameter and 28 m focal length
  - Primary dish made of 198 hexagonal segments
  - Effective mirror area is 368 m<sup>2</sup>
- **Focal plane:**
  - Made of 1855 PMTs
  - Pixel field of view of 0.1°
  - Total field of view of 4.5°
- **Structure:**
  - Alt-az mount
  - Maximum time for repositioning is 20 seconds
  - Total weight of the telescope is ~120 tons



# GRBs with the LSTs

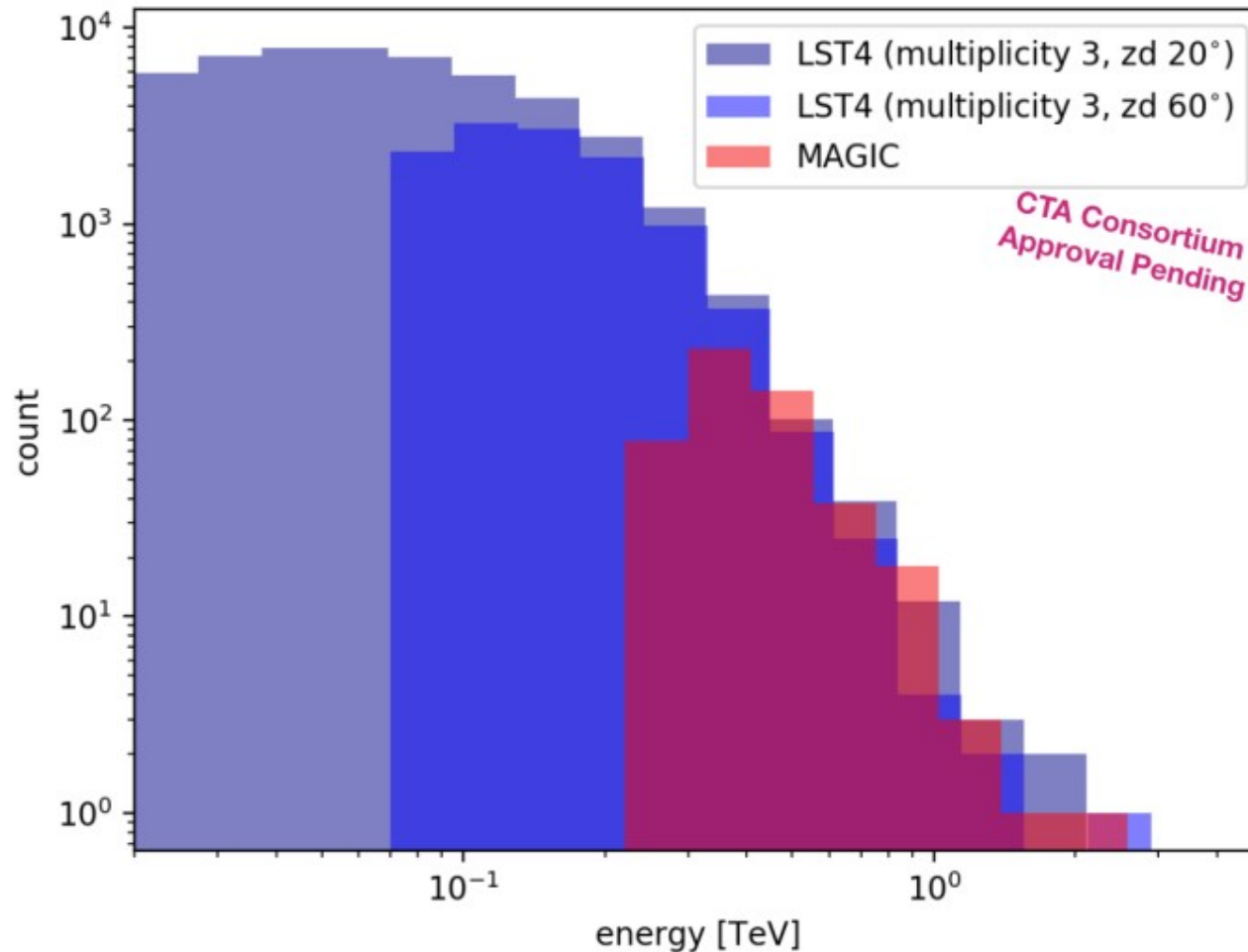
## In total there will be 4 LSTs in La Palma:

- Lower energy threshold → more events detected
- Faster repositioning → more events detected

## What would GRB 190114C look for the 4 LSTs?

- Assuming observations by 4 LSTs during 100 sec at the La Palma site
- Using  $T_0 + 62$  sec and  $T_0 + 162$  sec (where MAGIC and Fermi-LAT overlap)
  - ~450 events detected by MAGIC in this interval
- Requiring trigger from 3 out of 4 LSTs
- Assuming angular resolution of 0.15 degree at 100 GeV
- Assuming the intrinsic spectrum of GRB 190114C from MAGIC

# Energy distribution of the events

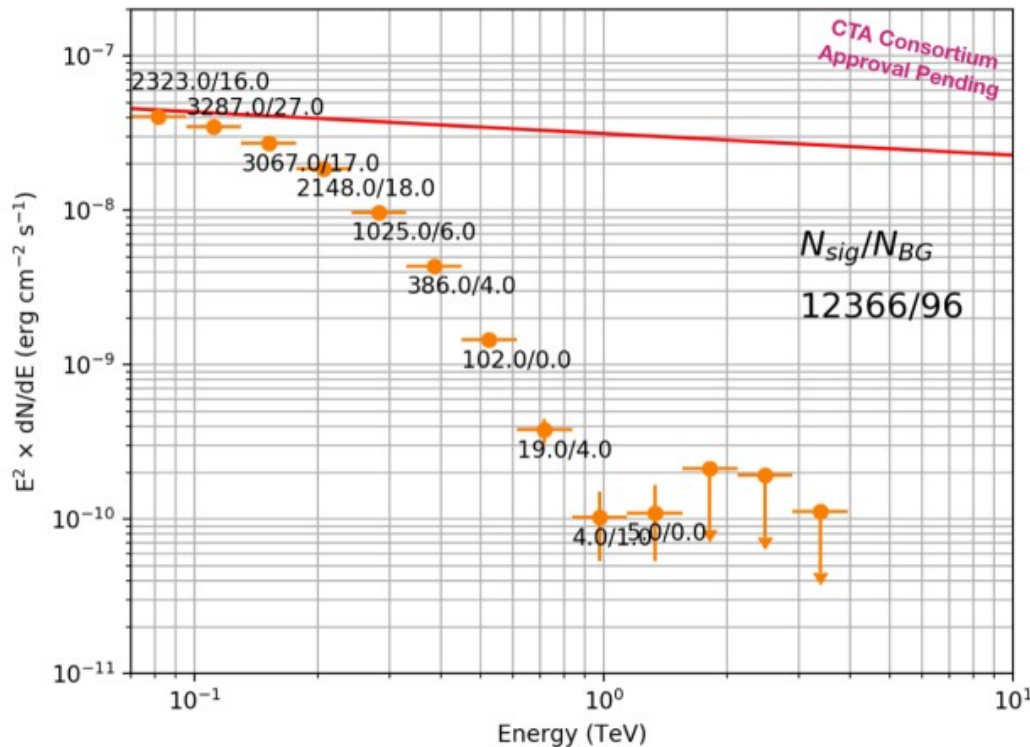


Plot by S. Fukami

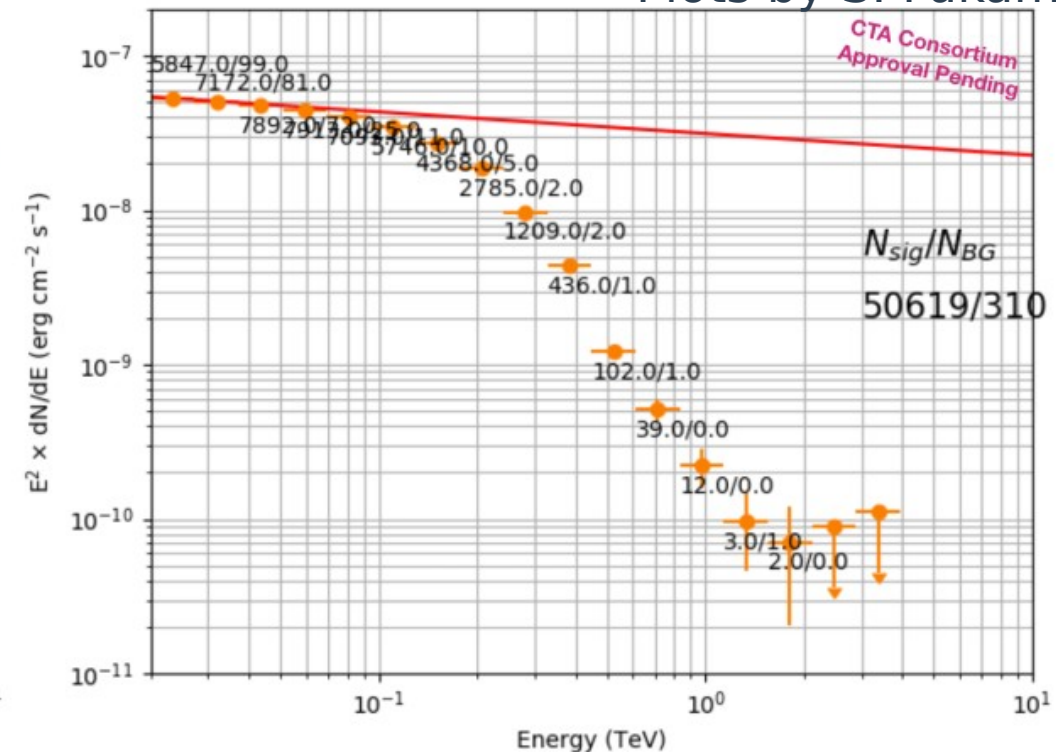
- **Relaxing trigger multiplicity to 2 telescopes would increase even more the numbers of events detected**

# Effect of the zenith angle

Plots by S. Fukami



zenith angle = 60 degrees

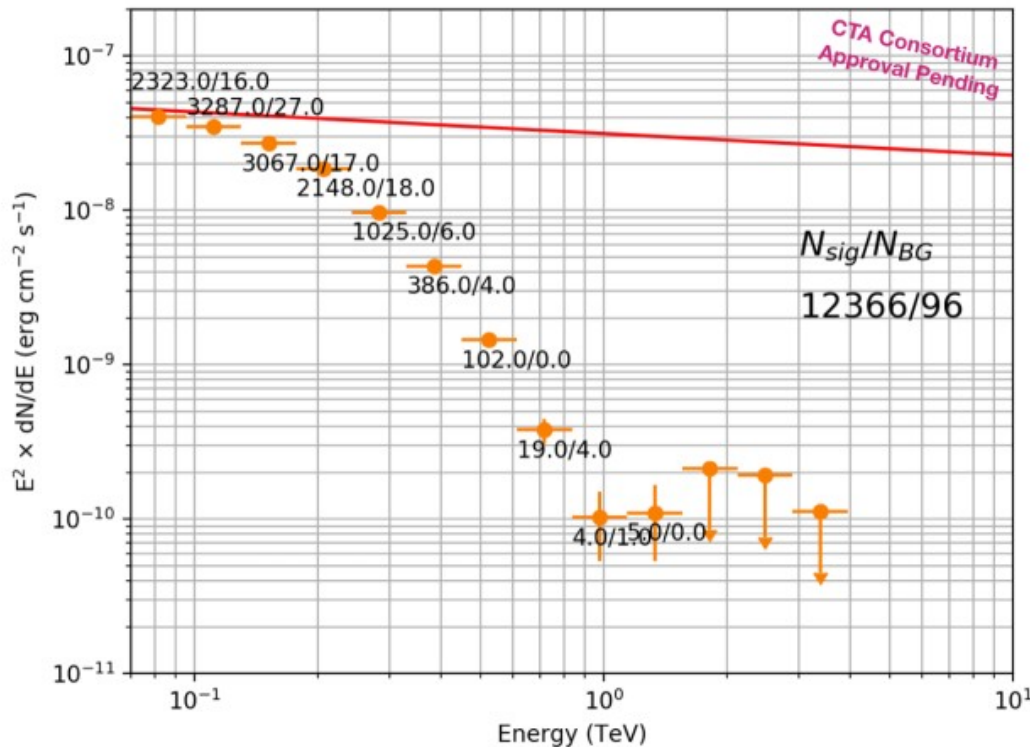


zenith angle = 20 degrees

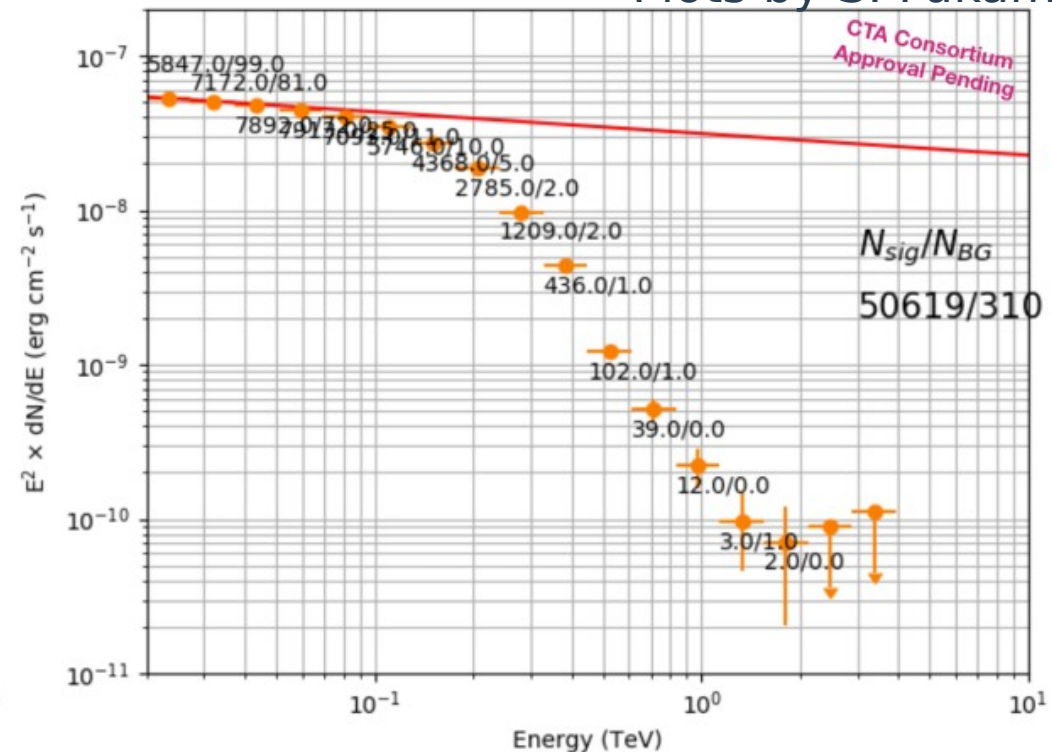
- At 60°, 4 LSTs would have seen ~ 30 times more events than MAGIC
- At 20°, 4 LSTs would have seen ~ 100 times more events than MAGIC

# Effect of the zenith angle

Plots by S. Fukami



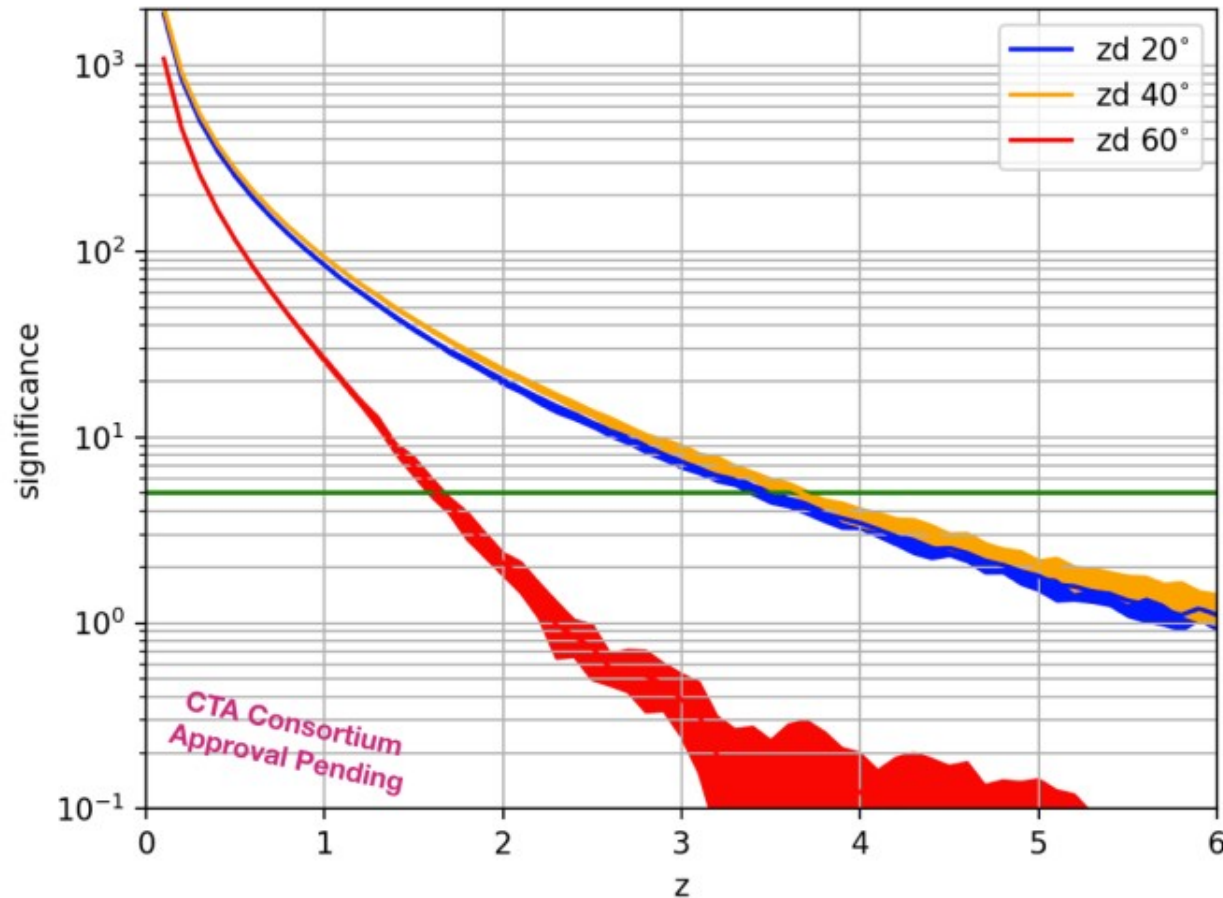
zenith angle = 60 degrees



zenith angle = 20 degrees

In the lower energy bins the statistics is so high (> 1000 events) that the 100 seconds interval can be divided in much shorter time bins

# Redshift effect on the detectability



Plot by S. Fukami

- **4 LSTs could detect an event similar to GRB190114C up to:**
  - $z \sim 1.5$  in similar zenith angle conditions (60 degrees)
  - $z \sim 3$  with better observation conditions (zenith angle  $< 40$  degrees)



# Conclusion

**We will have to see for real but  
LIV studies (among others) with the LSTs promise to be incredible!**

**Thank you for your attention!**